

# AN OVERVIEW ON ADVANCED CHEMOMETRIC APPROACHES FOR (N)IR SPECTROSCOPY

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# Classification



“Who's that, flyin' up there?  
Is it a bird? no  
Is it a plane? no  
Is it the twister? Yeah”

*Chubby Checker*

- “To find a criterion to assign an object (sample) to one category (class) based on a set of measurements performed on the object itself”
- Category or class is a (ideal) group of objects sharing similar characteristics
- In classification categories are defined a priori

# What if....

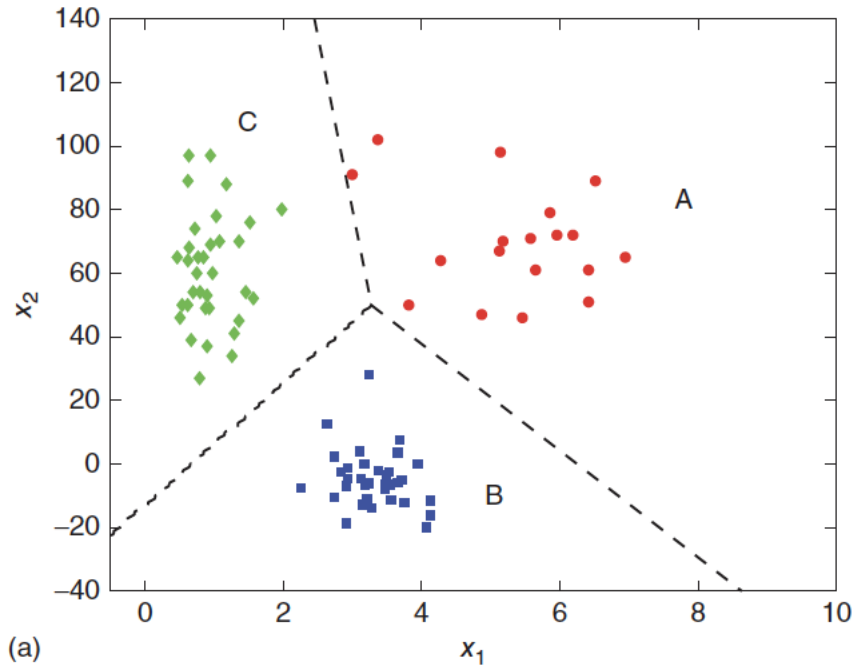
- Classes are not well defined, or
- There is only a single class of interest to be discriminated from all the rest (asymmetric classification)

Class A

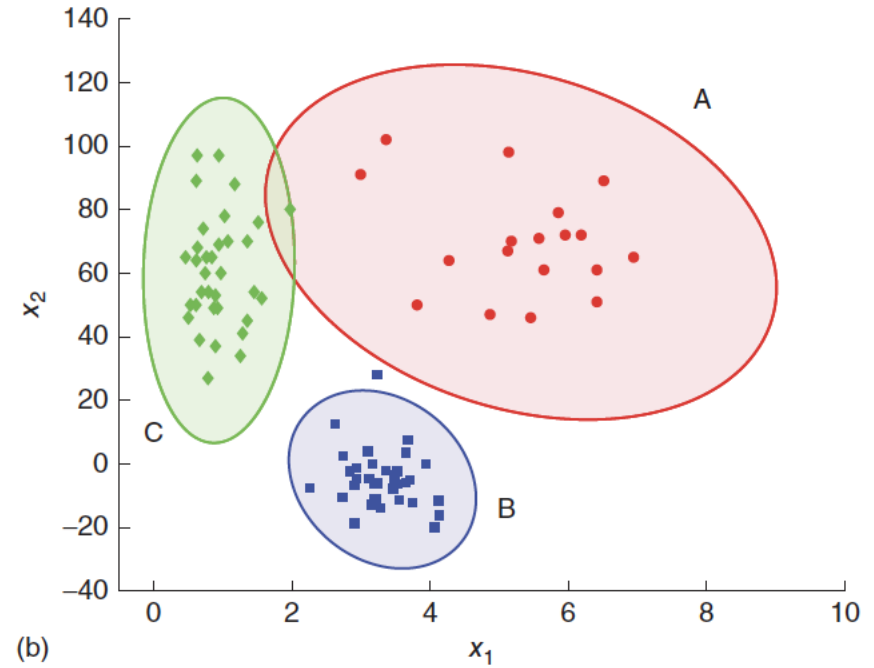
Class Non A



# A different approach: Class modeling



discriminant methods



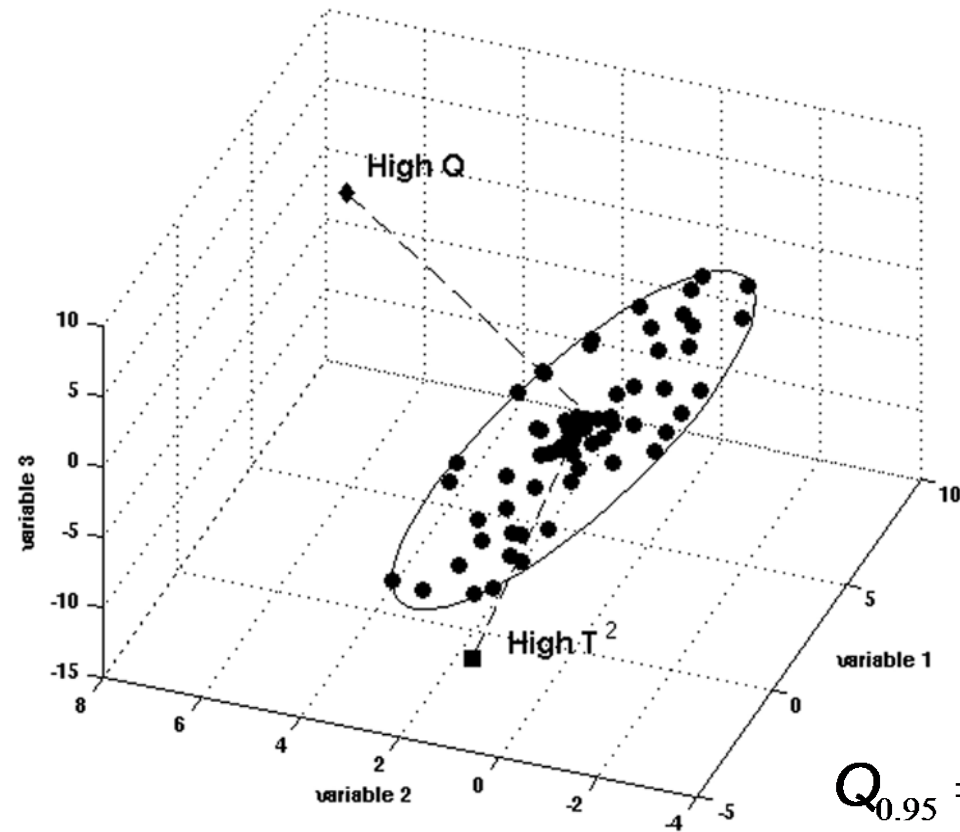
class-modeling

# SIMCA

- Originally proposed by Wold in 1976
  - **SOFT**: No assumption of the distribution of variable is made (bilinear modeling)
  - **INDEPENDENT**: Each category is modeled independently
  - **MODELING of CLASS ANALOGIES**: Attention is focused on the similarity between object from the same class rather than on differentiating among classes.
- To build the individual category models, PCA is used.
  - The number of significant components A (defining the “inner space”) can be different from class to class.
  - The remaining M-A components represent the residuals (“outer space”)

# SIMCA – Defining the model space

$$d_k^C = \sqrt{(T_{red,k}^2)_C + (Q_{red,k})_C} = \sqrt{\left(\frac{T_k^2}{T_{0.95}^2}\right)_C + \left(\frac{Q_k}{Q_{0.95}}\right)_C}$$



$$T_{0.95}^2 = F_{0.95, A, N-A} \frac{A(N^2 - 1)}{N(N - A)}$$

$$Q_{0.95} = \theta_1 \left[ 1 - \frac{\theta_2 h_0 (1 - h_0)}{\theta_1^2} + \frac{z_{0.95} (2\theta_2 h_0^2)^{\frac{1}{2}}}{\theta_1} \right]^{\frac{1}{h_0}}$$

$$\theta_k = \sum_i \lambda_i^k \quad h_0 = 1 - 2\theta_1 \theta_3 / 3\theta_2^2$$

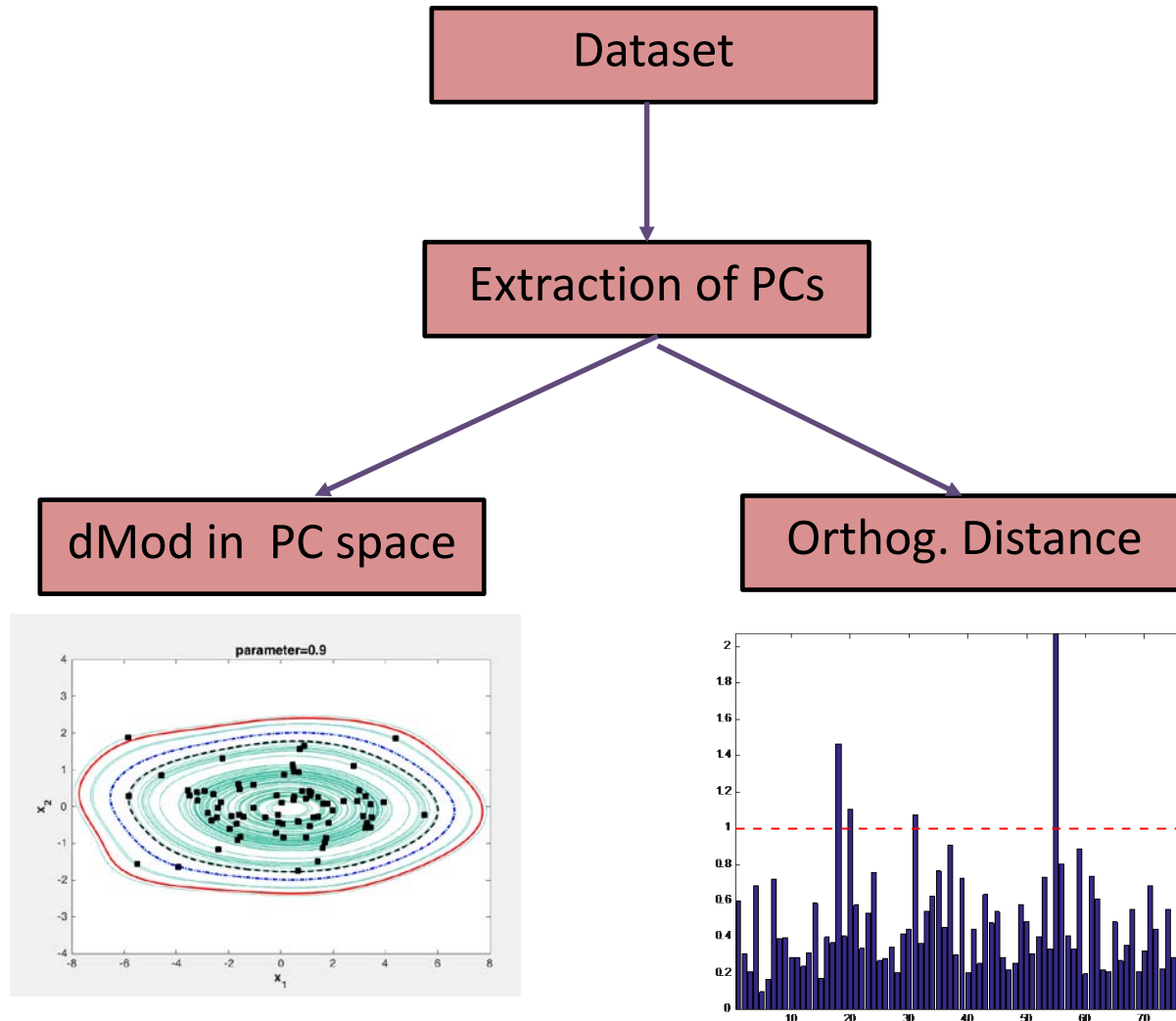
# KDE & SIMCA-like approaches

- CLASSY<sup>1</sup>: Kernel density estimation of the pdf in the scores space
  - Meant to achieve «probabilistic» classification
  - Discriminant approach: calculation of the posterior probabilities for each class through Bayes' theorem
- PLS-DM<sup>2</sup>: Class-modeling achieved by combining KDE-based scores distance and orthogonal distance
  - PLS-based bilinear decomposition
  - Model space estimation analogous to «SIM»-SIMCA ( $\frac{SD}{SD_{crit}} \leq 1$  &  $\frac{OD}{OD_{crit}} \leq 1$ )

<sup>1</sup>H. Van der Voet and D.A. Doornbos, *Anal. Chim. Acta* **161** (1984) 115.

<sup>2</sup>P. Oliveri et al., *Anal. Chim. Acta* **851** (2014) 30.

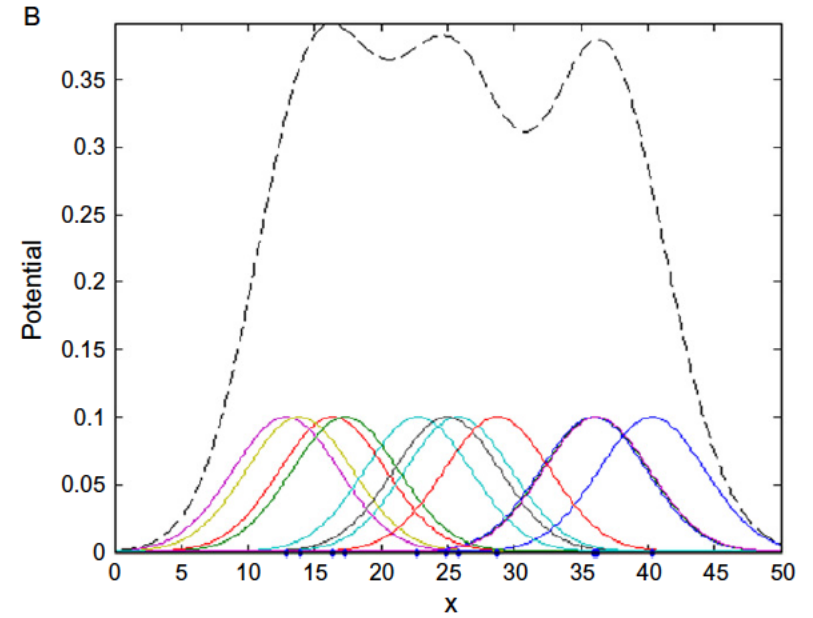
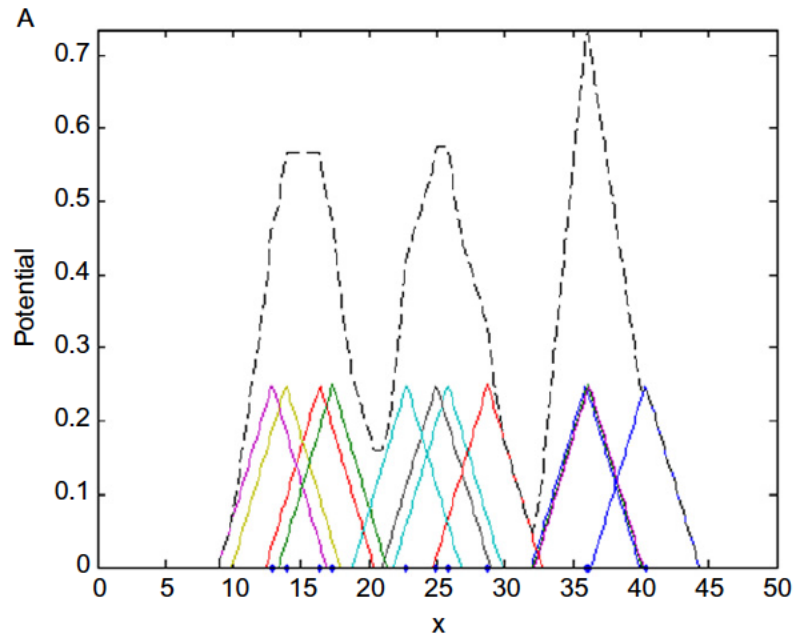
# SIMCA – A unified approach for single and multiple blocks





# Potential

$$p(\mathbf{x}|g) = P_g(\mathbf{x}) = \frac{\sum_{i=1}^{n_g} p_{g,i}(\mathbf{x})}{n_g}$$



$$p_{g,i}(\mathbf{x}) = \begin{cases} 0 & \text{if } \|\mathbf{x} - \mathbf{x}_{g,i}\| > d_{\max} \\ \frac{d_{\max} - \|\mathbf{x} - \mathbf{x}_{g,i}\|}{d_{\max}^2} & \text{if } \|\mathbf{x} - \mathbf{x}_{g,i}\| \leq d_{\max} \end{cases}$$

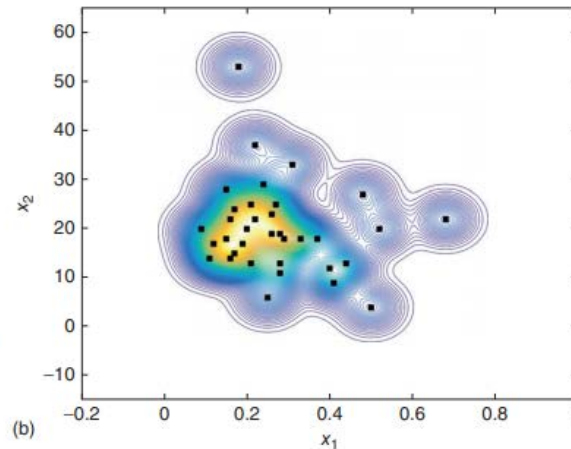
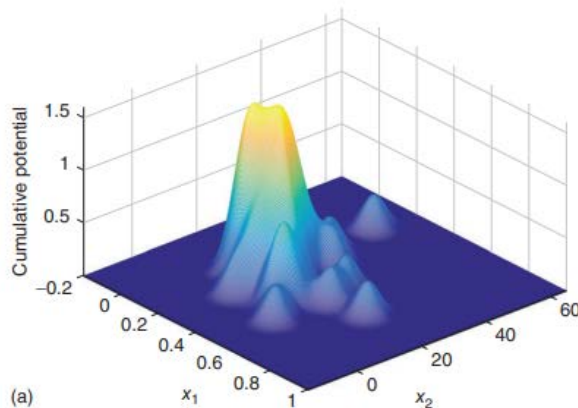
$$p_{g,i}(\mathbf{x}) = \frac{1}{(2\pi)^{\frac{m}{2}} |\mathbf{S}_g|} e^{-\frac{1}{2}(\mathbf{x} - \mathbf{x}_{g,i})^T \mathbf{S}_g^{-1} (\mathbf{x} - \mathbf{x}_{g,i})}$$

# Potential functions

- Estimate the global pdf for the class as the sum of individual multivariate pdfs centered on each training sample.

$$f(\mathbf{x}) = \sum_{i=1}^{N_g} f_i(\mathbf{x}) = \frac{1}{N_g} \sum_{i=1}^{N_g} \frac{1}{(2\pi)^{\frac{v}{2}} |\mathbf{S}_g|^{\frac{1}{2}}} e^{-\frac{1}{2} (\mathbf{x}-\mathbf{x}_i)^T \mathbf{S}_g^{-1} (\mathbf{x}-\mathbf{x}_i)}$$
$$\mathbf{S}_g = \gamma \begin{bmatrix} s_1^2 & 0 & 0 & 0 \\ 0 & s_2^2 & 0 & 0 \\ 0 & 0 & \ddots & 0 \\ 0 & 0 & 0 & s_v^2 \end{bmatrix}$$

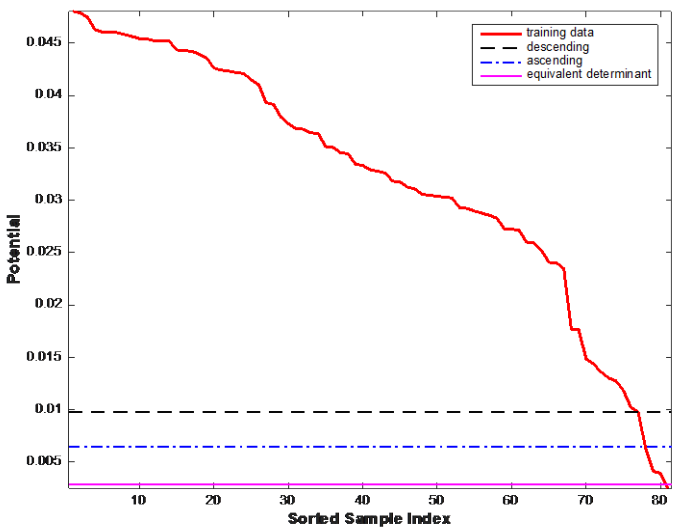
$\gamma$  = smoothing parameter



- The class boundary is defined by setting the critical value ( $f_{crit}$ ) of the pdf  $f(\mathbf{x})$ , at a selected confidence level ( $f_{crit}$ )

# Potential function – Class modeling

Percentile



$$P_{\gamma,g}(\mathbf{x}) = P_g(\mathbf{x}_k) + (q - k)[P_g(\mathbf{x}_{k+1}) - P_g(\mathbf{x}_k)]$$

with

$$q = \frac{\gamma N_g}{100} \quad k = \text{int}(q)$$

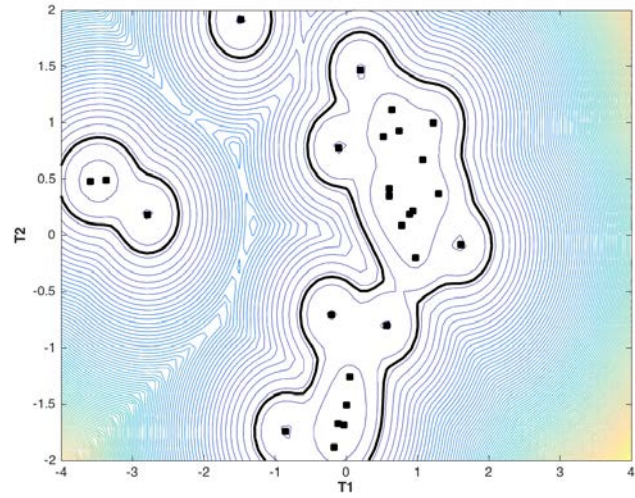
or

$$P_{100-\gamma,g}(\mathbf{x}) = P_g(\mathbf{x}_j) + (u - j)[P_g(\mathbf{x}_{j+1}) - P_g(\mathbf{x}_j)]$$

with

$$u = \frac{(100 - \gamma) N_g}{100} \quad j = \text{int}(u)$$

Equivalent determinant



The determinant of the covariance matrix of a Gaussian distribution having the same value of mean probability density function as the one of the current kernel density model

$$f_{crit} = \frac{1}{(2\pi)^{\frac{v}{2}} |\hat{\mathbf{C}}|^{\frac{1}{2}}} e^{-\frac{\chi_{\alpha}^2}{2}}$$

$$|\hat{\mathbf{C}}|^{\frac{1}{2}} = \frac{N_g}{2^v \pi^{\frac{v}{2}} \sum_{i=1}^{N_g} f_i(\mathbf{x})}$$

M. Forina et al., *J. Chemometr.* **5** (1991) 435-453.

# Data sets analyzed

PGI Sicilian oranges



Peel: NIR Spectroscopy  
Juice: NIR, MIR, UV and Vis Spectroscopy

Senise Bell Pepper



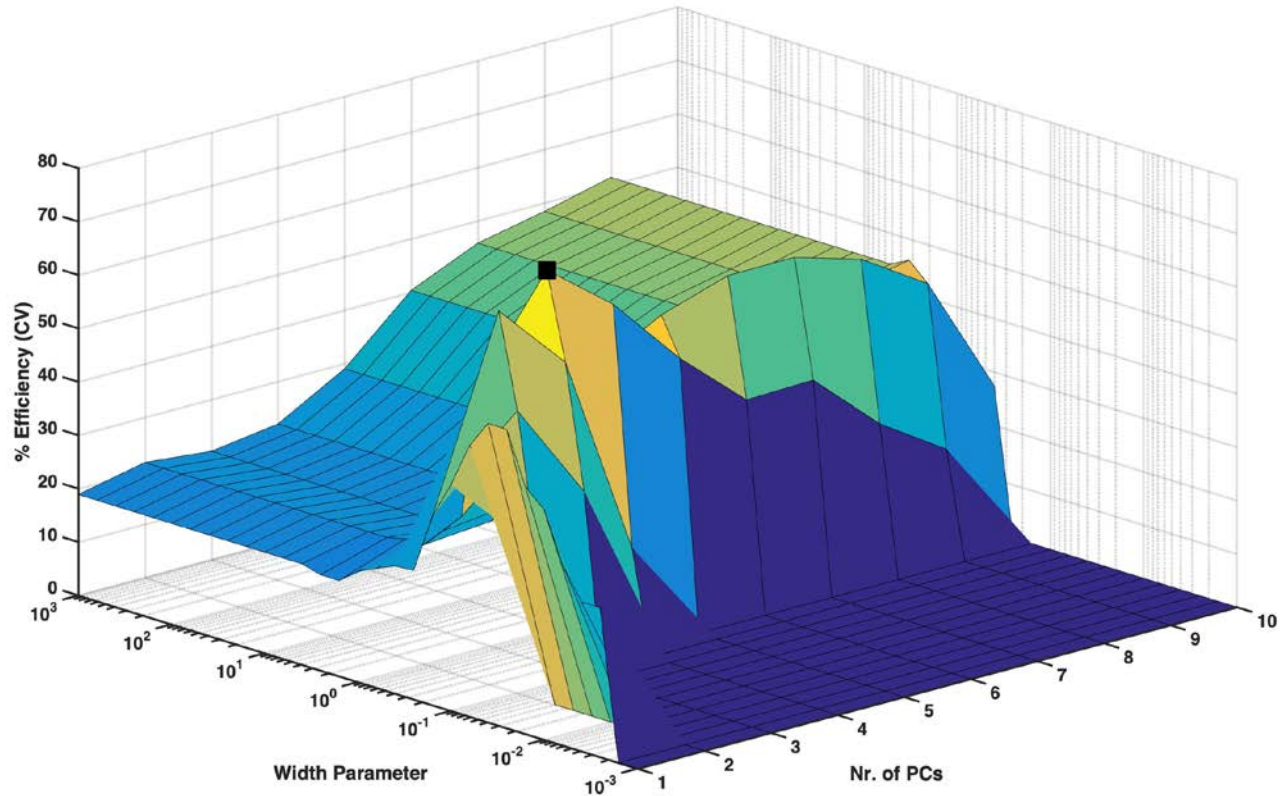
NIR e MIR Spectroscopy

Borgo Reale beer



NIR, MIR, UV and Vis Spectroscopy

# Optmizing model parameters



# Best SIMCA and SIMCA pf results of the pure ground Senise bell pepper class

*Best SIMCA Model: MIR Spectroscopy*

	PC	SensCal	SpecCal	EffCal	SensCV	SpecCV	EffCV
<b>1<sup>st</sup> Derivative</b>	10	100.00	64.00	80.00	70.00	69.00	69.50

*Best SIMCA Prediction: MIR Spectroscopy*

	SensPred	SpecPred	EffPred
<b>1<sup>st</sup> Derivative</b>	80.00	86.67	83.27

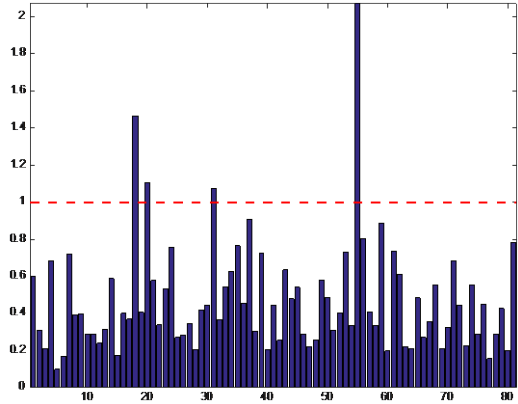
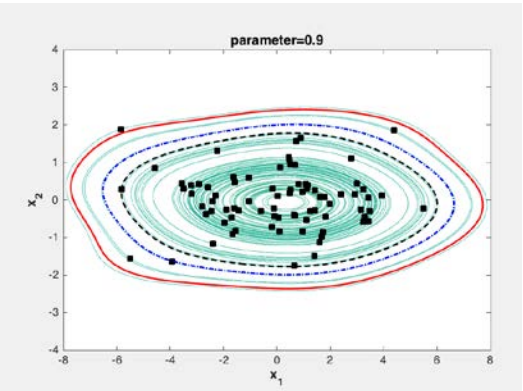
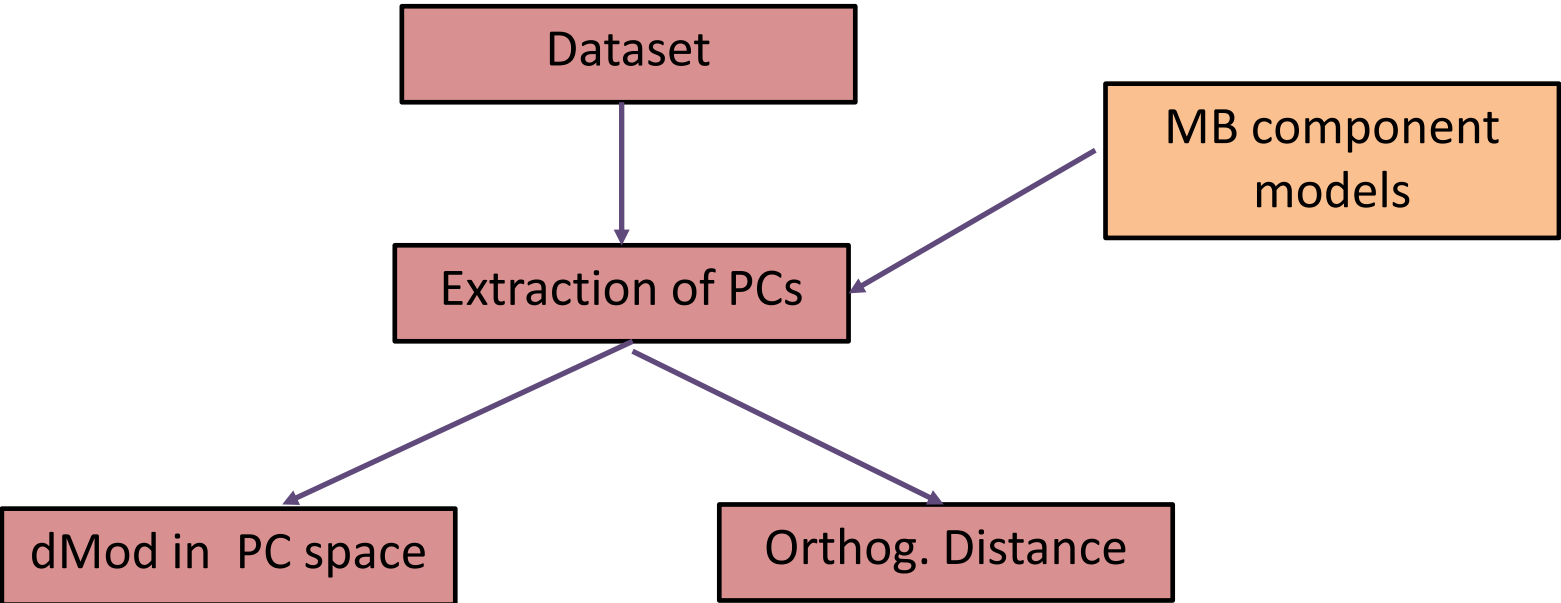
*Best SIMCApf Model: MIR Spectroscopy*

	PC	Optwidth	SensCal	SpecCal	EffCal	SensCV	SpecCV	EffCV
<b>1<sup>st</sup> DerivativeED</b>	8	0.6310	100.00	64.00	80.00	75.00	67.00	70.89

*Best SIMCApf Prediction: MIR Spectroscopy*

	SensPred	SpecPred	EffPred
<b>1<sup>st</sup> DerivativeED</b>	80.00	93.33	86.41

# Moving to multiple blocks



# Multi-block analysis results on pure ground Senise bell pepper samples with Low-Level approach

## Multi-block analysis results

	PC	Optwidth	SensCal	SpecCal	EffCal	SensCV	SpecCV	EffCV
ED	1	0.1585	100.00	100.00	100.00	100.00	100.00	100.00
A	1	2.5119	100.00	100.00	100.00	100.00	100.00	100.00
D	1	2.5119	100.00	100.00	100.00	100.00	100.00	100.00

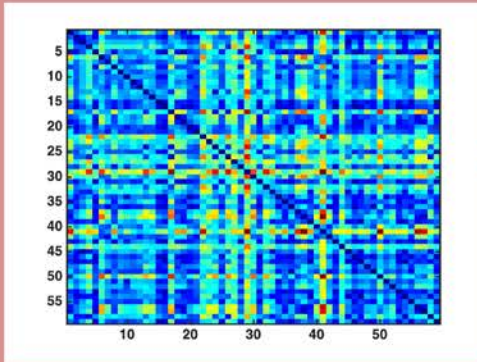
## Predictions on the test set

	SensPred	SpecPred	EffPred
ED	95.00	100.00	97.47
A	95.00	100.00	97.47
D	95.00	100.00	97.47



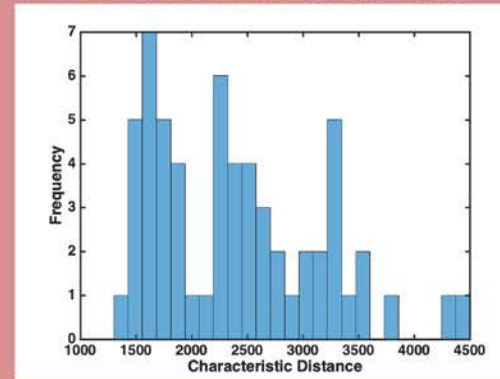
# NPCM

## THE ALGORITHM



### Distance Matrix:

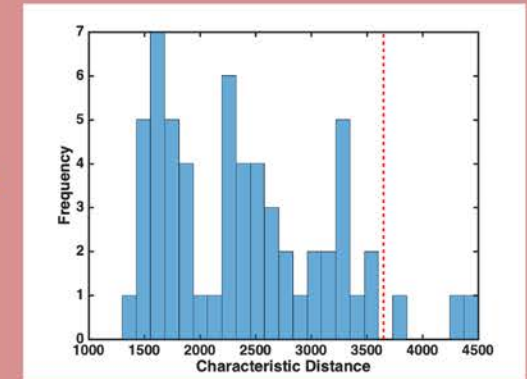
- Euclidean
- Manhattan
- Mahalanobis



### Characteristic

#### Distance:

- Min
- Median
- Max
- Centroid

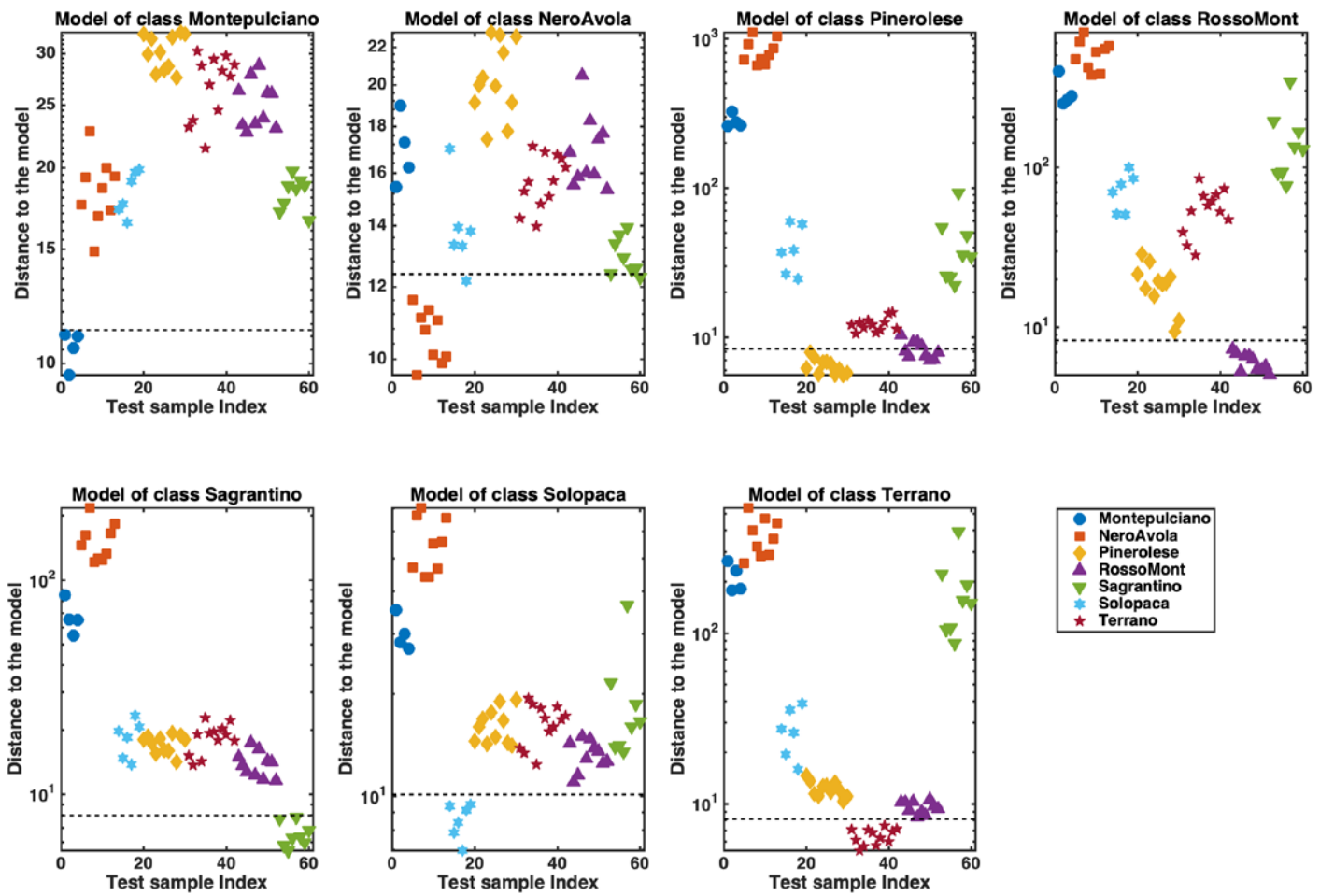


### Threshold:

- 95<sup>th</sup> percentile
- 4<sup>th</sup> spread

Distance matrix can be calculated both on original variables and after PCA projection (the optimal number of PC can be optimized in CV).

# NPCM – Italian Wines



# NPCM – Results

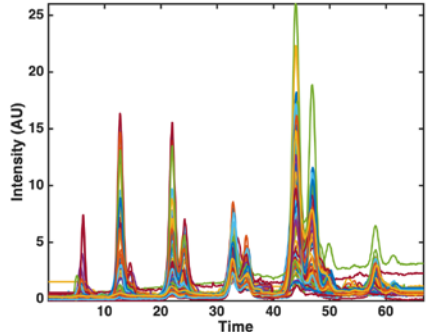


## Italian wines

	Montepulciano			Nero D'Avola			Pinerolese			Rosso di Montalcino			Sagrantino			Solopaca			Terrano			
	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.	
NPCM	100.0	100.0	100.0	100.0	96.1	95.4	100.0	89.8	94.8	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0	100.0
SIMCA	100.0	100.0	100.0	100.0	98.4	99.0	100.0	85.1	92.3	100.0	100.0	100.0	75.0	100.0	86.6	71.4	98.1	83.7	80.0	100.0	89.4	

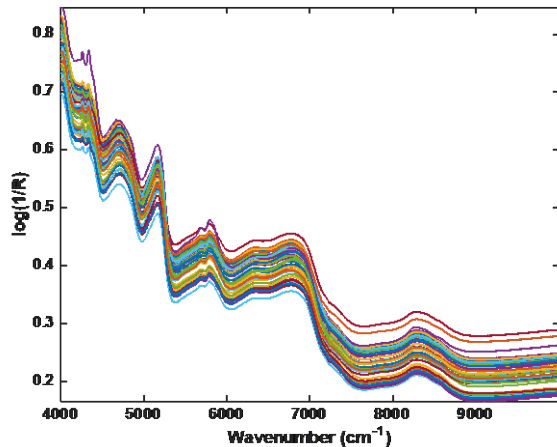
## Vegetable oils

	Olive			Other vegetable		
	Sens.	Spec.	Eff.	Sens.	Spec.	Eff.
NPCM	93.3	100.0	96.6	90.0	93.3	91.6
SIMCA	93.3	100.0	96.6	80.0	100.0	89.4

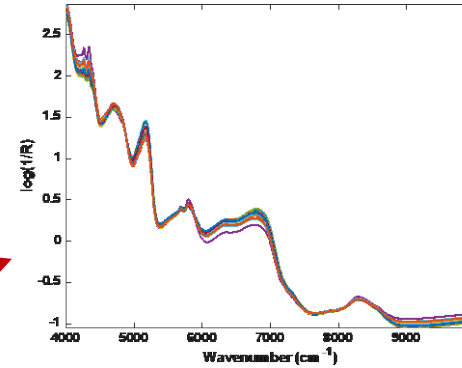


# Pre-processing

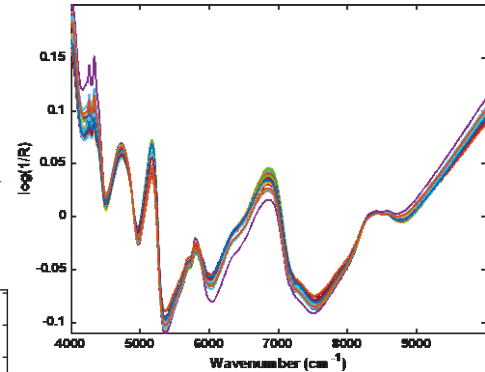
- Data copy may be deformed by artefacts due to factors (physical, chemical and environmental) not of interest for the characterization of the samples under study



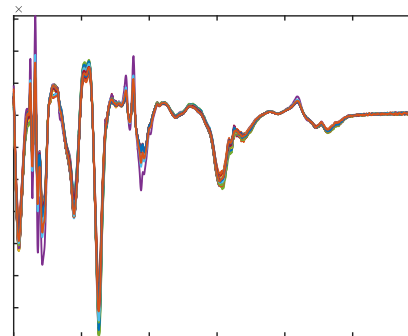
SNV



Detrending



1st derivative

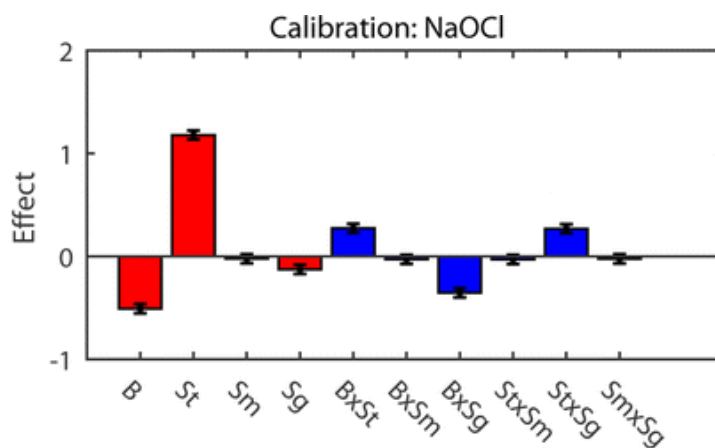
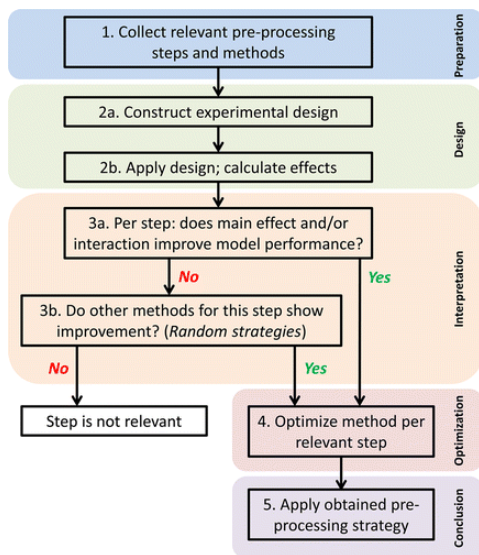


# Choice of best preprocessing

- Trial and error: explore multiple preprocessing options and select the one leading to the lowest error/best performance (usually in CV)

Pre-processing	LV	RMSECV
SNV	7	0.98
1 <sup>st</sup> derivative	8	0.86
SNV+1 <sup>st</sup> derivative	6	0.83

- Experimental design (Gerretzen et al., *Anal. Chem.* **87** (2015) 12096-12103)

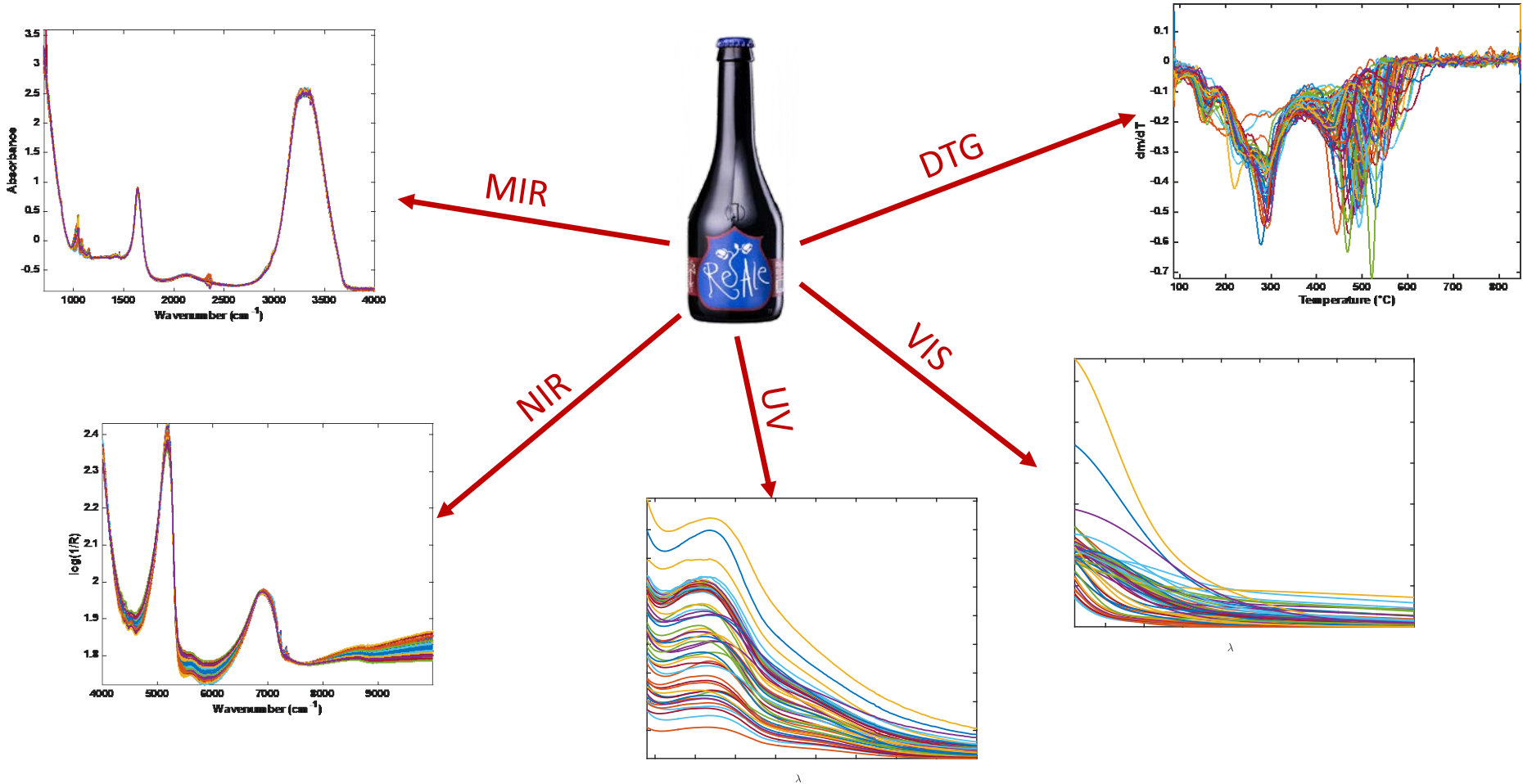


# Choice of best preprocessing: Boosting approaches

- Ensemble learning: stack different PLS models using different pretreatments on the same data
  - The output of this approach is computed by averaging the predicted values computed by its constituent learners.
  - Examples are, e.g.:
    - L. Xu, et al. Ensemble preprocessing of near-infrared (NIR) spectra for multivariate calibration, *Anal. Chim. Acta* **616** (2008) 138-143: Twenty different pre-processing operations, based on first and second derivatives, smoothing, SNV, MSC and their combinations
    - R. Reda et al. A comparative study between a new method and other machine learning algorithms for soil organic carbon and total nitrogen prediction using near infrared spectroscopy, *Chemometr. Intell. Lab. Syst.* **195** (2019) 103873: Six PLS models calculated on data preprocessed by diverse preprocessing approaches, raw,  $\log(1/R)$ , 1<sup>st</sup> and 2<sup>nd</sup> derivative, MSC, SNV
- Multi-block approaches
  - Data are preprocessed by different techniques
  - The differently preprocessed matrices are used as input to a multi-block (data fusion) algorithm

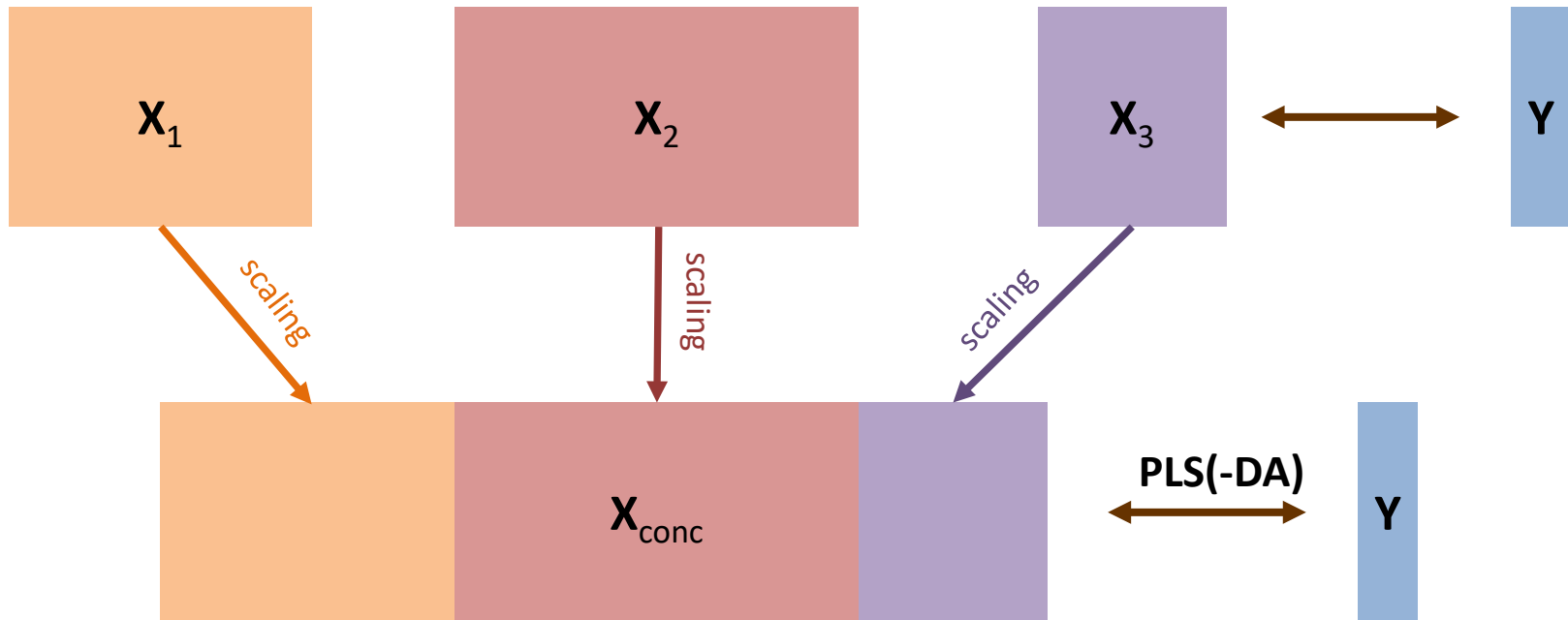
# Multi-block data

- Different sets of (usually multivariate) data collected on the same samples
- E.g.: Same set of samples characterized by different analytical platforms



# Multi-block PLS(-DA)

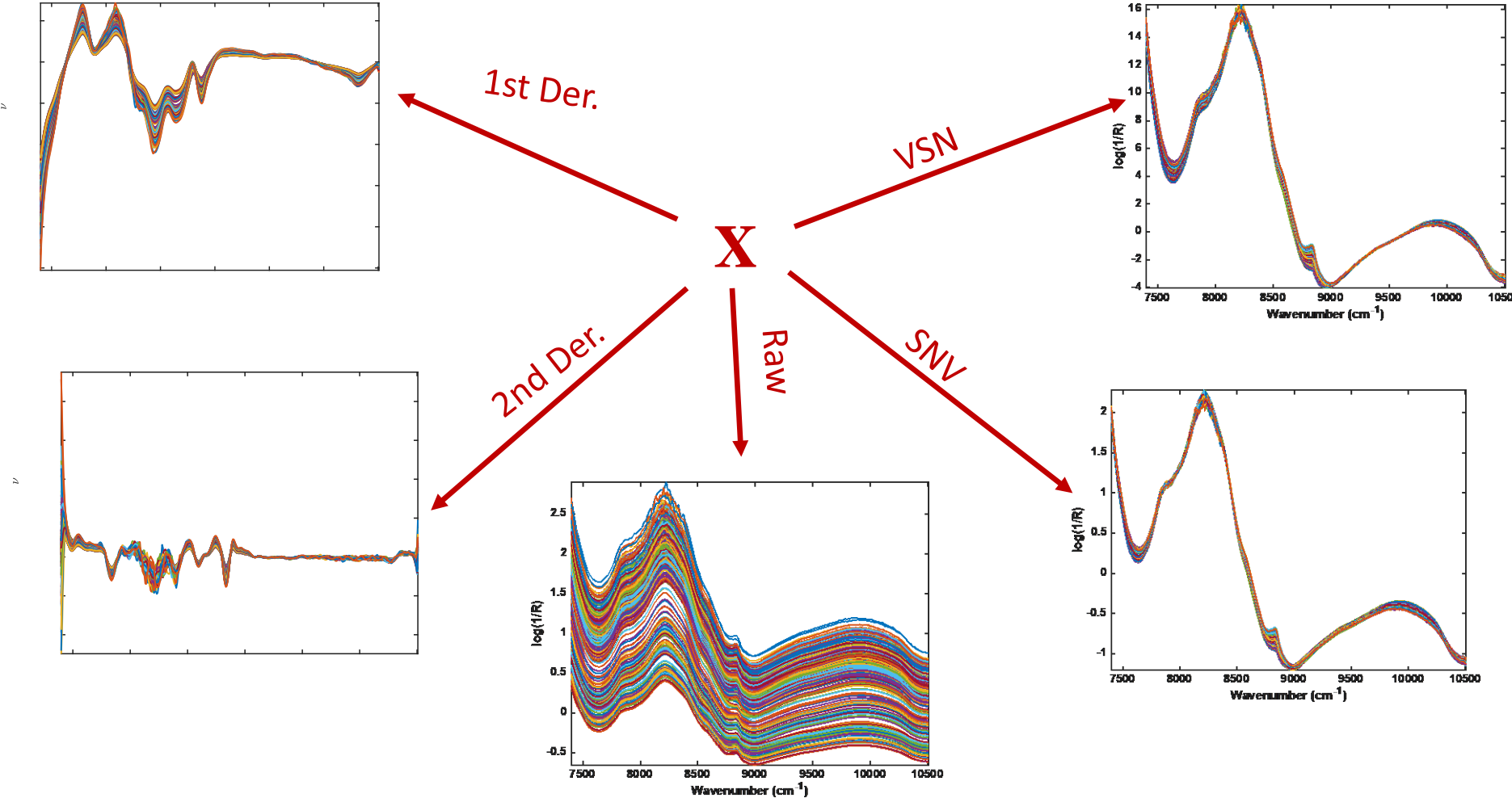
- Straightforward generalization of standard PLS(-DA)
- Low-level approach:
  - Assumes that global (super-scores) are weighted combination of block scores:  
$$\mathbf{t}_i = \mathbf{X}_i \mathbf{w}_i \quad \mathbf{t}_{super} = [\mathbf{t}_1 \quad \mathbf{t}_2 \quad \cdots \quad \mathbf{t}_B] \mathbf{w}_{super}$$
  - PLS on the concatenated data matrices after suitable scaling.
  - Block scores, weights and loadings and super-weights can be obtained a posteriori





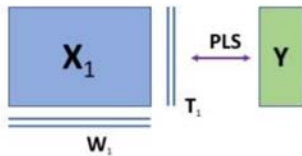
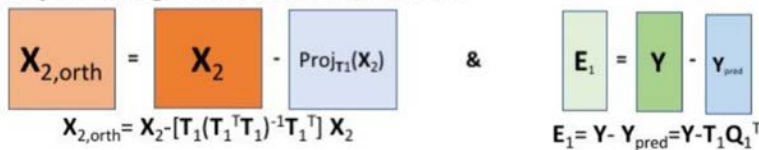
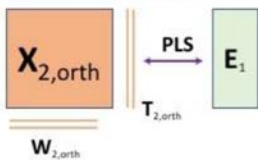
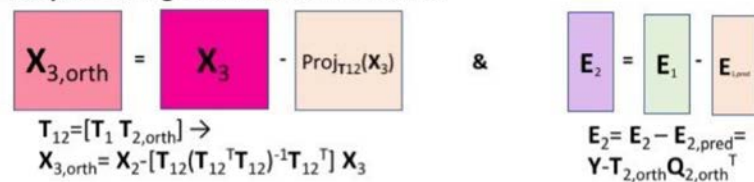
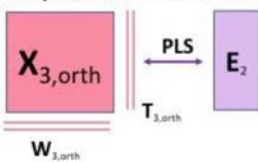
# Multi-block data

- The same data matrix pre-processed with different approaches



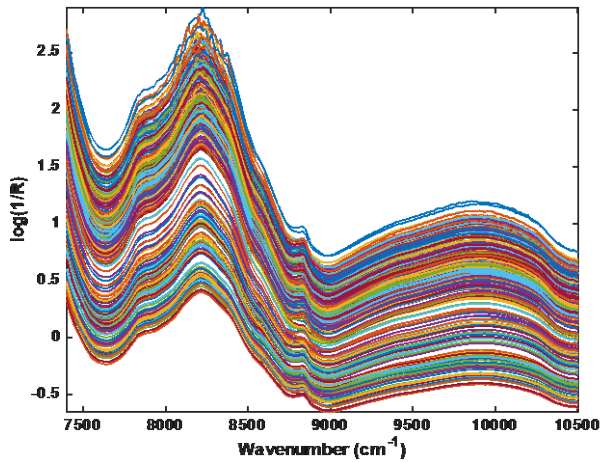


Sequential preprocessing through ORThogonalization (SPORT) and its application to near infrared spectroscopy

 Jean-Michel Roger <sup>a,b,\*</sup>, Alessandra Biancolillo <sup>c</sup>, Federico Marini <sup>d</sup>
**Step 1: First PLS model**

**Step 2: Orthogonalization of second block**

**Step 3: Second PLS model**

**Step 4: Orthogonalization of third block**

**Step 5: Third PLS model**


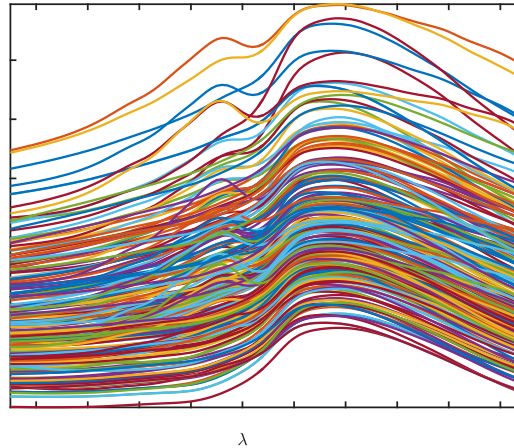
$$\text{Global model: } Y_{\text{pred}} = T_1 Q_1^T + T_{2,\text{orth}} Q_{2,\text{orth}}^T + T_{3,\text{orth}} Q_{3,\text{orth}}^T$$

# Data sets



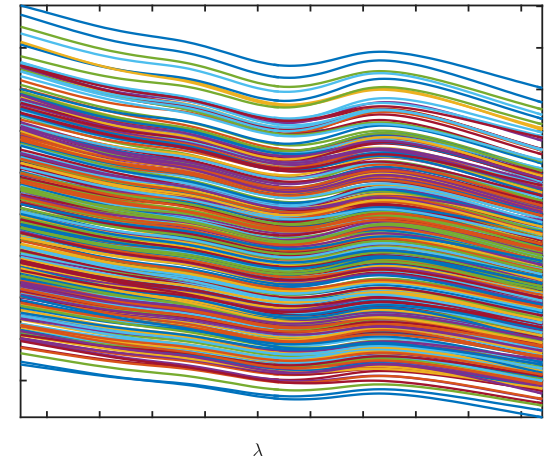
## Tablets

M. Dyrby et al., *Appl. Spectrosc.*  
**56** (2002) 579-585.



## Meat

C. Borggaard and H.H.Thodberg,  
*Anal. Chem.* **64** (1992) 545-551.



## Wheat

D.K. Pedersen et al., *Appl. Spectrosc.*  
**56** (2002) 1206-1214.

# Wheat & Meat

- Results are compared to those of the stacking approach in L. Xu, et al., *Anal. Chim. Acta* **616** (2008) 138-143:

Pre-treatment	Wheat			Meat		
	LVs	RMSEC	RMSEP	LVs	RMSEC	RMSEP
SG-93-0	11	0.53	0.71	6	2.97	2.80
SG-94-0	10	0.55	0.78	6	2.97	2.80
SG-93-1	8	0.55	0.66	11	2.11	2.09
SG-94-1	9	0.53	0.72	14	1.89	2.00
SG-93-2	6	0.54	0.52	10	1.97	2.08
SG-94-2	8	0.52	0.55	8	1.88	2.13
SNV	10	0.54	0.68	4	2.09	2.01
stacked <sup>2</sup>	-	0.50	0.57	-	1.55	1.82
boosted	0,0,4,0,0,0,11	0.47	0.47	0,0,0,0,0,7,7	1.50	1.65

- SPORT approach performs better than any single pretreatment model and of the stacked approach
- Very parsimonious selection → only two blocks are included in each model

# Tablets

- By exchanging the order of the blocks, it is possible to explore common and distinctive information

block number	Boosting 1	Boosting 2	Boosting 3
1	raw data	SNV	SG-15-3-2
2	SG-15-2-1	raw data	SNV
3	SG-15-3-2	SG-15-3-2	raw data
4	SNV	VSN, tol 0.0067, Npar 2	VSN, tol 0.0067, Npar 2
5	VSN, tol 0.0067, Npar 2	SG-15-2-1	SG-15-2-1
#LV	0,3,0,0,4	0,5,0,2,0	0,0,5,2,0
RMSEC	0.27	0.28	0.28
RMSEP	0.33	0.34	0.34

- Exchanging the order of the blocks has little effect on the predictivity, but impacts the selected pre-processings

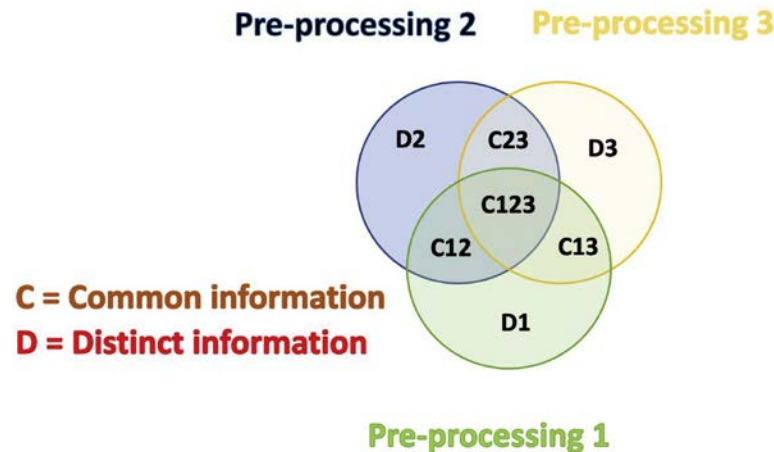
# Recent developments



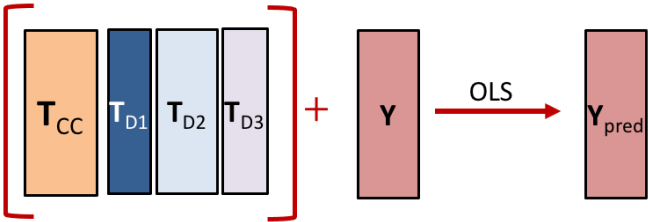
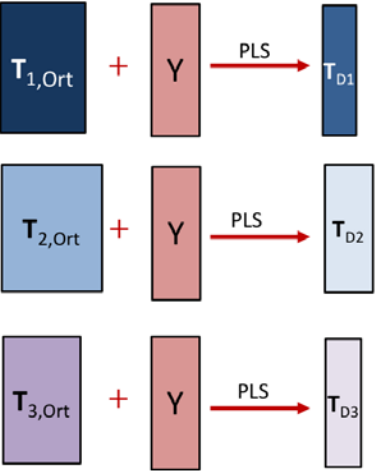
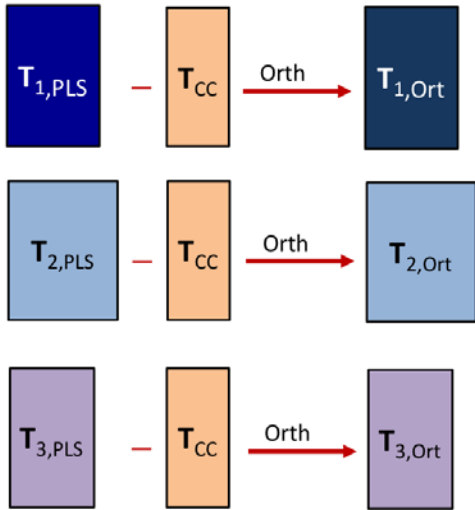
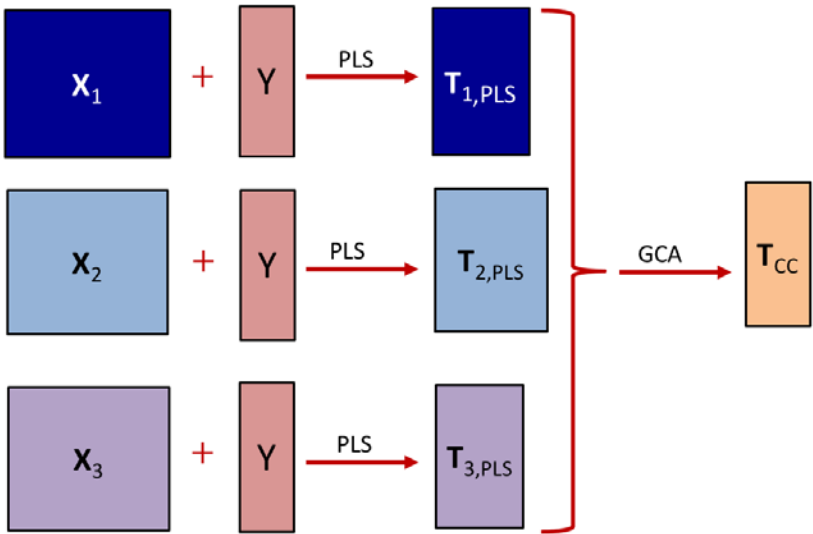
Parallel pre-processing through orthogonalization (PORTO) and its application to near-infrared spectroscopy

Puneet Mishra<sup>a,\*</sup>, Jean Michel Roger<sup>b,c</sup>, Federico Marini<sup>d</sup>, Alessandra Biancolillo<sup>e</sup>, Douglas N. Rutledge<sup>f,g</sup>

- SO-PLS is not the only multi-block method which can be used to fused different pre-treatments of the same data matrix
- The same concept has been exploited in PORTO, where the MB *engine* is represented by PO-PLS
- Straightforward exploitation of the concept of common and distinct components and lower impact of the order of the blocks



# PO-PLS scheme





Common and distinct components selected by the PORTO approach. The '+' indicates that the common component is shared by the indicated blocks.

Data sets/ Pre- processing	Common components <sup>a</sup>	Distinct components
Apple	4	3
	1. RAW (26.7%, 0.997) + MSC (71.4%, 0.999) + VSN (69.9%, 0.998) + SNV (71.3%, 0.999) + 2nd derivative (27.5%, 0.997) 2. RAW (11.5%, 0.997) + MSC (15.5%, 0.998) + VSN (16.9%, 0.997) + 2nd derivative (35.5%, 0.997) 3. RAW (17.7%, 0.997) + MSC (6.0%, 0.997) + SNV (6.2%, 0.997) + 2nd derivative (6.5%, 0.996) 4. RAW (34.0%, 1.000) + 2nd derivative (27.1%, 1.000)	5 RAW (9.0%) 6 MSC (2.1%) 7 2nd derivative (0.5%)
Olive	5	3
	1. RAW (5.1%, 0.996) + MSC (22.7%, 0.998) + VSN (26.8%, 0.994) + SNV (22.9%, 0.999) + 2nd derivative (24.5%, 0.995) 2. MSC (12.4%, 0.999) + VSN (12.5%, 0.995) + SNV (12.4%, 0.999) + 2nd derivative (40.6%, 0.994) 3. RAW (29.9%, 0.997) + MSC (26.1%, 0.997) + 2nd derivative (18.6%, 0.995) 4. RAW (14.3%, 0.994) + SNV (2.7%, 0.990) + 2nd derivative (3.3%, 0.988) 5. MSC (7.7%, 0.999) + VSN (53.4%, 0.998) + SNV (7.6%, 0.999)	6 RAW (42.2%) 7 MSC (10.7%) 8 VSN (0.2%)

## Parallel pre-processing through orthogonalization (PORTO) and its application to near-infrared spectroscopy

Puneet Mishra<sup>a,\*</sup>, Jean Michel Roger<sup>b,c</sup>, Federico Marini<sup>d</sup>, Alessandra Biancolillo<sup>e</sup>, Douglas N. Rutledge<sup>f,g</sup>

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<sup>b</sup> ITAP, INRAE, Institut Agro, University Montpellier, Montpellier, France

<sup>c</sup> ChemHouse Research Group, Montpellier, France

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<sup>f</sup> Université Paris-Saclay, INRAE, AgroParisTech, UMRI SayFood, 75005, Paris, France

<sup>g</sup> National Wine and Grape Industry Centre, Charles Sturt University, Wagga Wagga, Australia



Pre- processing approach	Apple data set		Olive data set		Mango data set		Pear data set	
	R <sup>2</sup>	RMSEP	R <sup>2</sup>	RMSEP	R <sup>2</sup>	RMSEP	R <sup>2</sup>	RMSEP
Raw	0.85	0.77	0.70	1.21	0.76	1.09	0.83	0.52
MSC	0.86	0.74	0.90	0.70	0.81	0.96	0.81	0.55
VSN	0.83	0.80	0.92	0.63	0.82	0.96	0.79	0.58
SNV	0.82	0.82	0.91	0.69	0.81	0.96	0.82	0.54
2 <sup>nd</sup> derivative	0.89	0.65	0.90	0.72	0.77	1.07	0.81	0.56
SPORT	0.95	0.46	0.89	0.73	0.83	0.92	0.84	0.51
PORTO	0.95	0.44	0.93	0.61	0.84	0.91	0.85	0.49



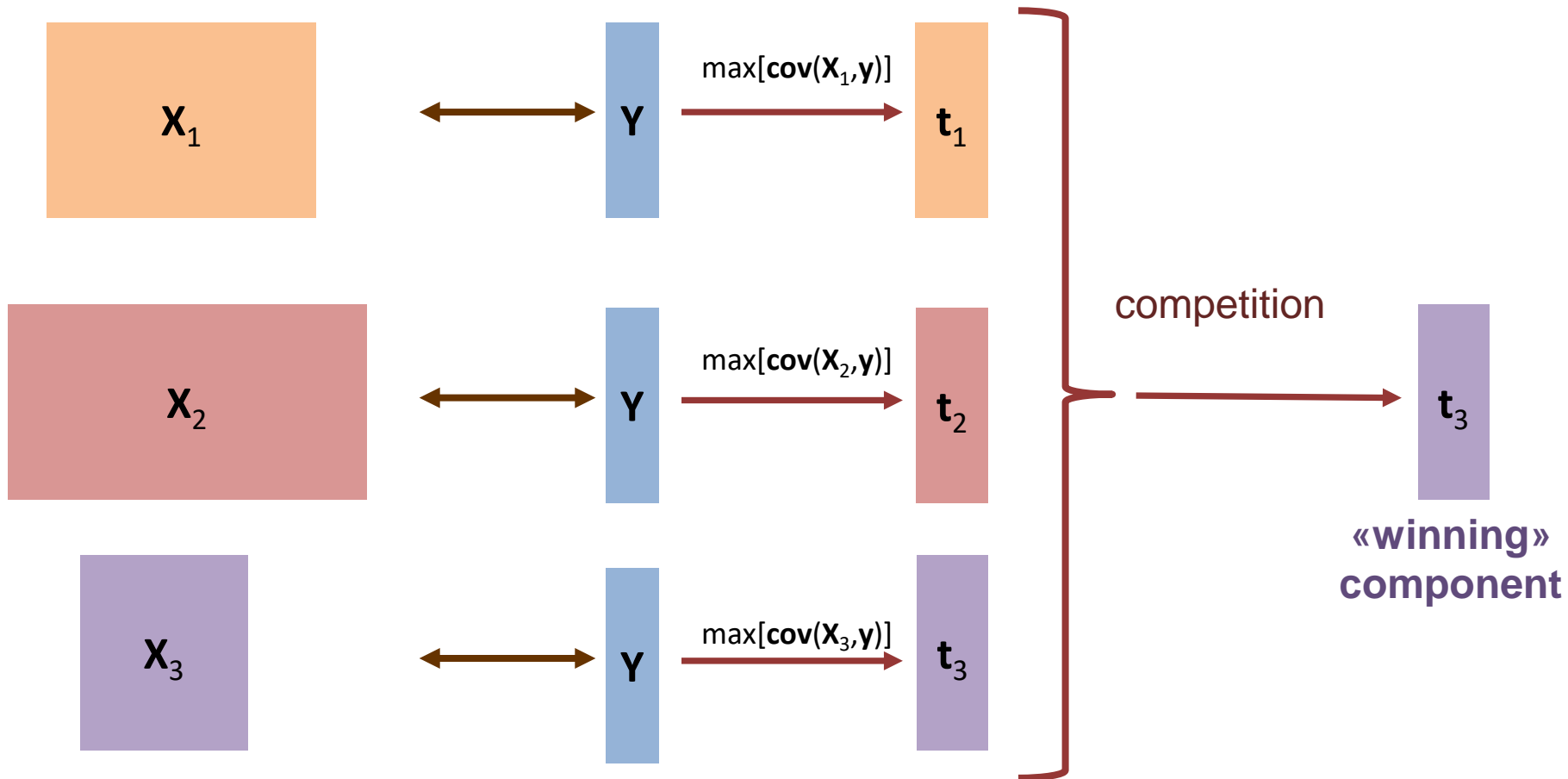
# ROSA → PROSAC



Pre-processing ensembles with response oriented sequential alternation calibration (PROSAC): A step towards ending the pre-processing search and optimization quest for near-infrared spectral modelling



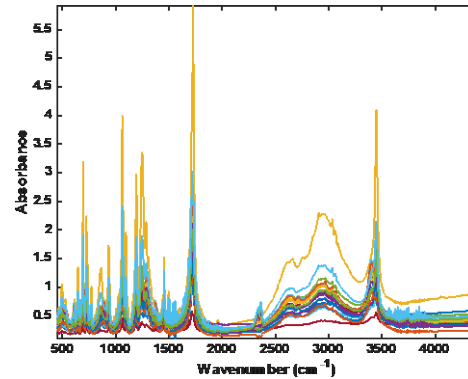
Puneet Mishra<sup>a,\*</sup>, Jean Michel Roger<sup>b,c</sup>, Federico Marini<sup>d</sup>, Alessandra Biancolillo<sup>e</sup>, Douglas N. Rutledge<sup>f,g</sup>



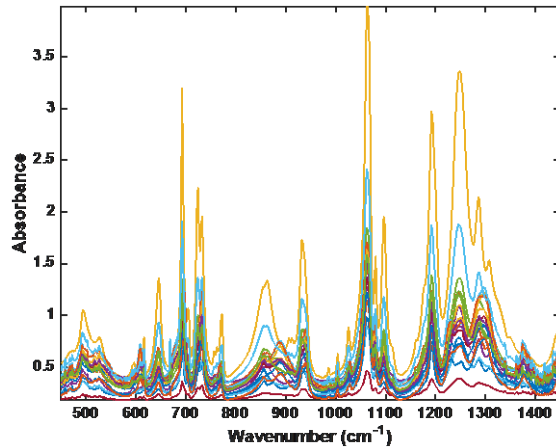
# Multi-block data - 2

- Sometimes blocking can be induced within the same data set, due to physical or chemical reasons:

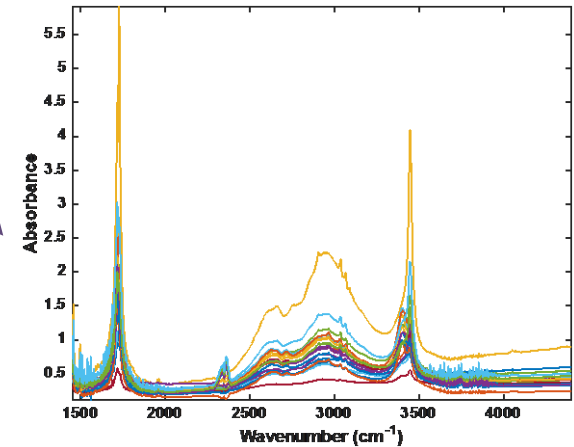
MIR



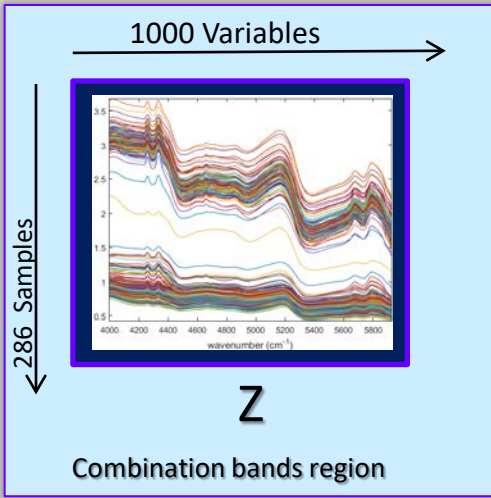
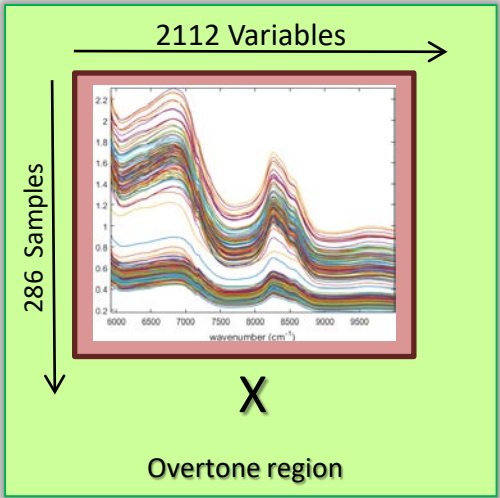
Fingerprint region





Group frequencies



# Hazelnuts data set



 221 PDO Romana Hazelnut

 155 Other Hazelnut

2 Classes

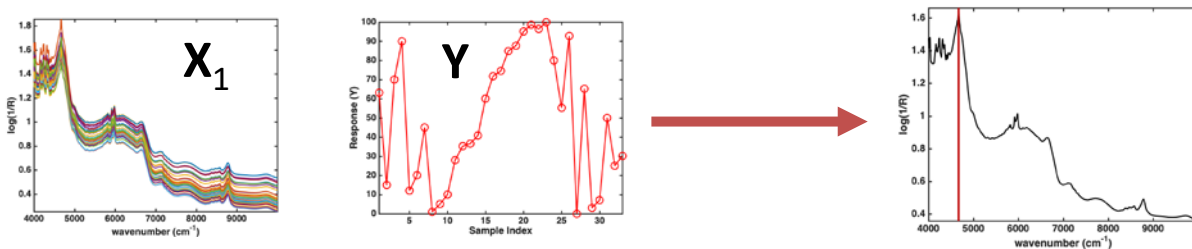
Training Set of 286 samples

Test Set of 90 samples

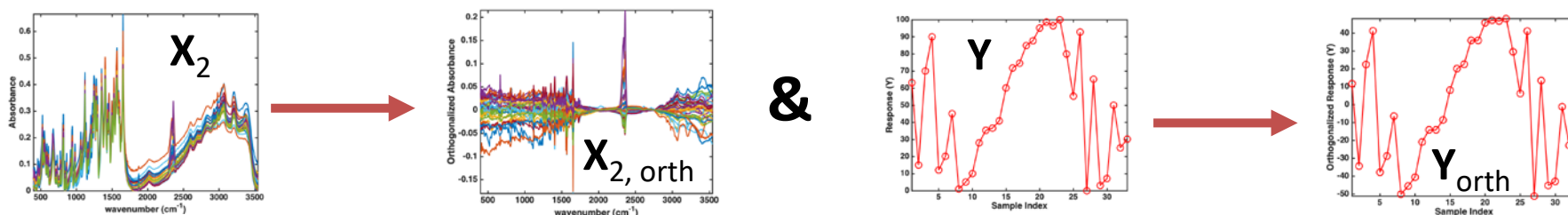
49 Romana PDO    41 Others

# Adding variable selection: SO-CovSel

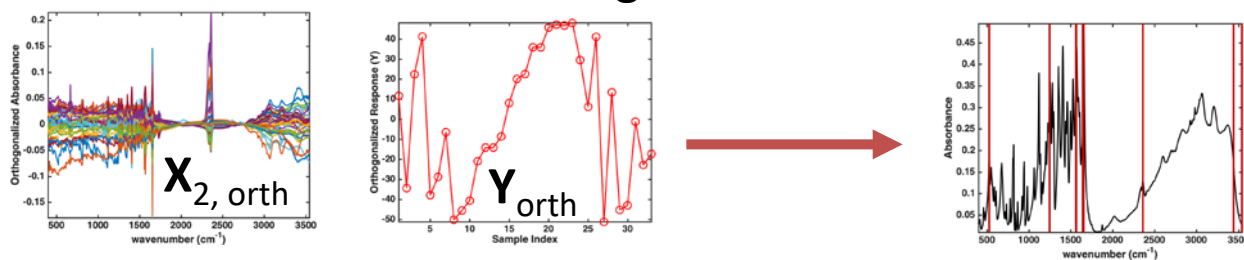
- Variables from the 1<sup>st</sup> block are selected by CovSel A. Biancolillo et al., *J. Chemometr.* **34** (2020) e3120



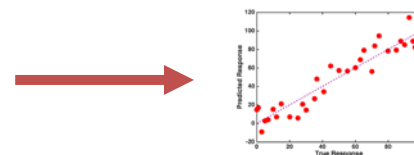
- The second X block and the Y are orthogonalized wrt the selected variables



- Variables from the orthogonalized 2<sup>nd</sup> block are selected by CovSel



- An overall regression model is calculated between the Y and the selected variables



# Hazelnuts data set: Predictions

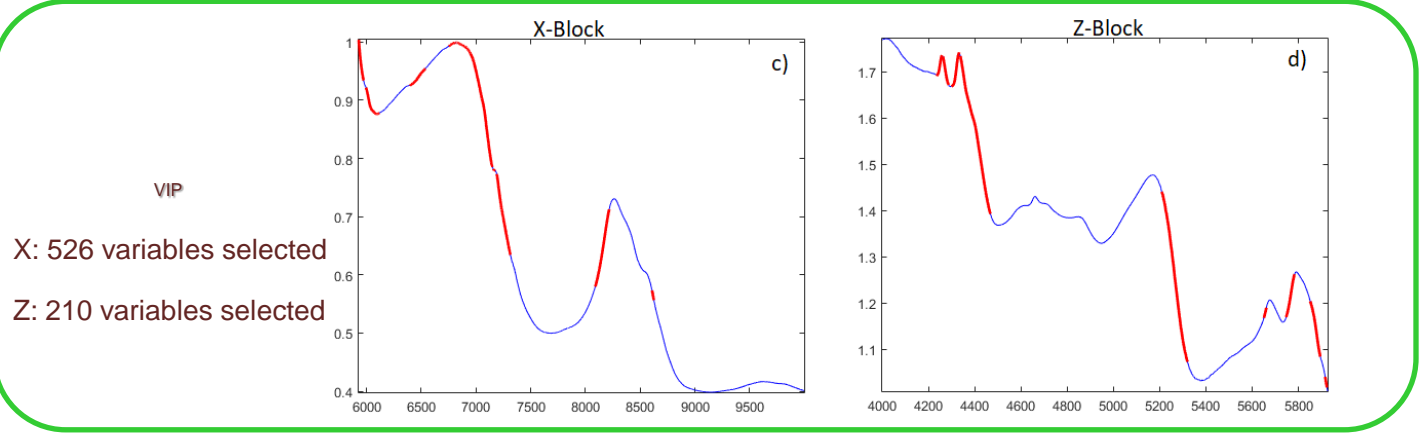
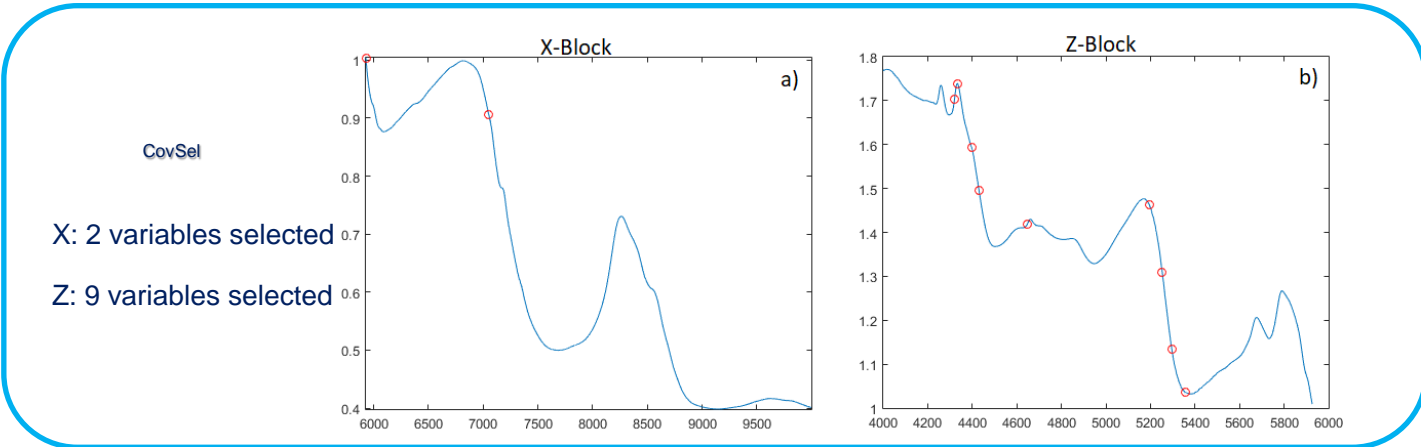
SO-PLS-LDA		
Class	Predicted PDO	Predicted Common
PDO	38	3
Common	3	46

6 Misclassified

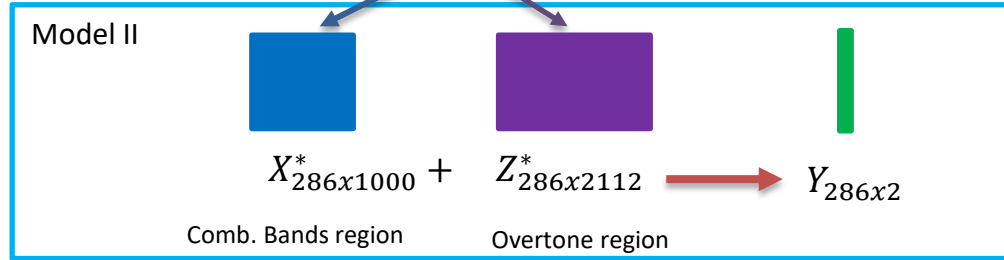
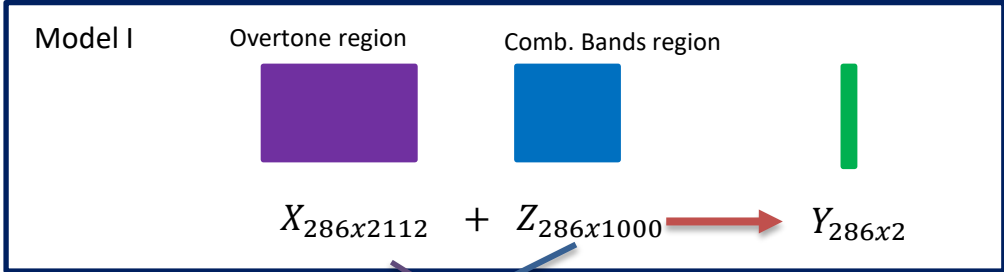
SO-CovSel-LDA		
Class	Predicted PDO	Predicted Common
PDO	39	2
Common	3	46

5 Misclassified

# Hazelnuts data set: Interpretation



# Hazelnuts data set: Interpretation - 2

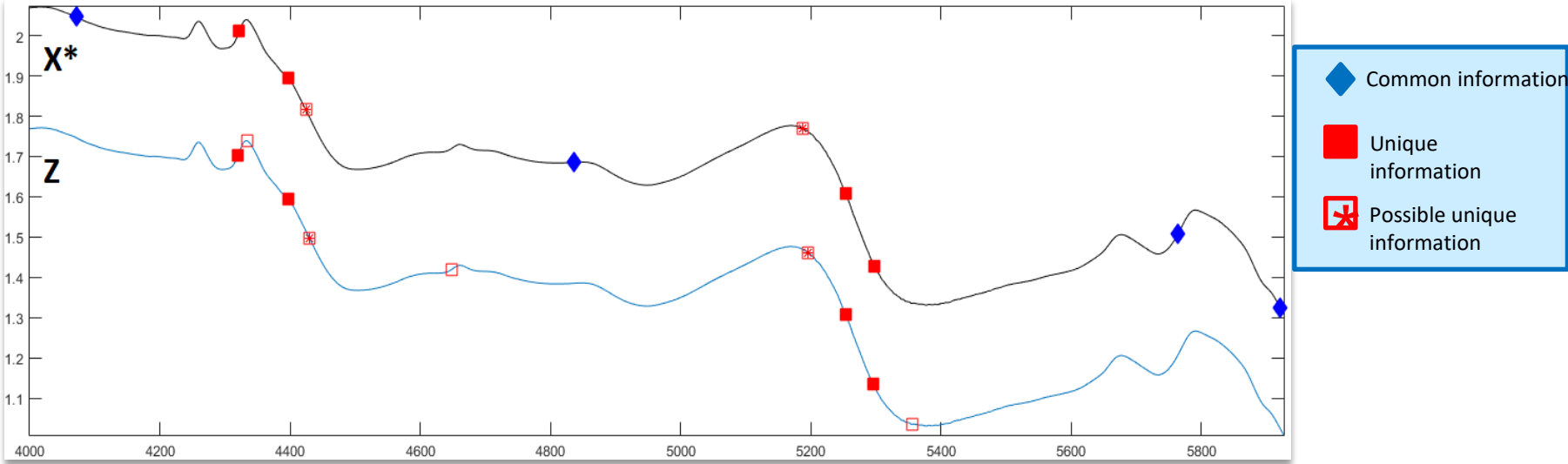


- If a variable is selected only when the block is the 1<sup>st</sup> input block (i.e. it is removable by orthogonalization) it is **common** between the blocks

- If a variable is selected independently of the order of the blocks it represent **unique information** brought by a block and not present in the other

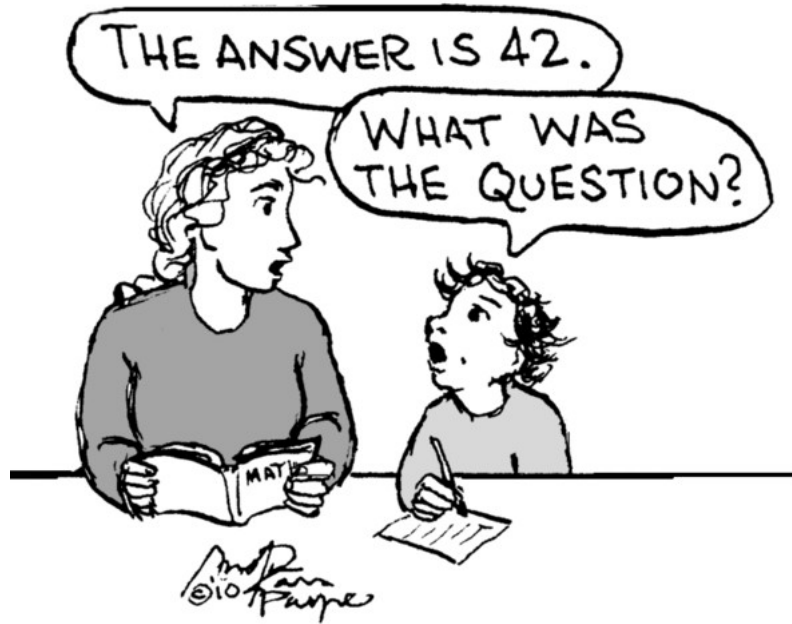
# Hazelnuts data set: Interpretation - 4

	Data Block		Selected variables (cm <sup>-1</sup> )	n. of Sel.Variables
Model I	Z	Combination Bands region	4320; 4334; 4397; <u>4430</u> ; 4648; <u>5195</u> ; 5253; 5296; 5355	9
Model II	X*	Combination Bands region	<u>4071</u> ; 4322; 4397; <u>4424</u> ; <u>4837</u> ; <u>5188</u> ; 5253; 5298; <u>5764</u> ; <u>5920</u>	10





# Conclusions & Questions



# Digression: Introducing VSN

# Spectral pretreatment: Standard Normal Variate

- Correction for linear and additive effects:

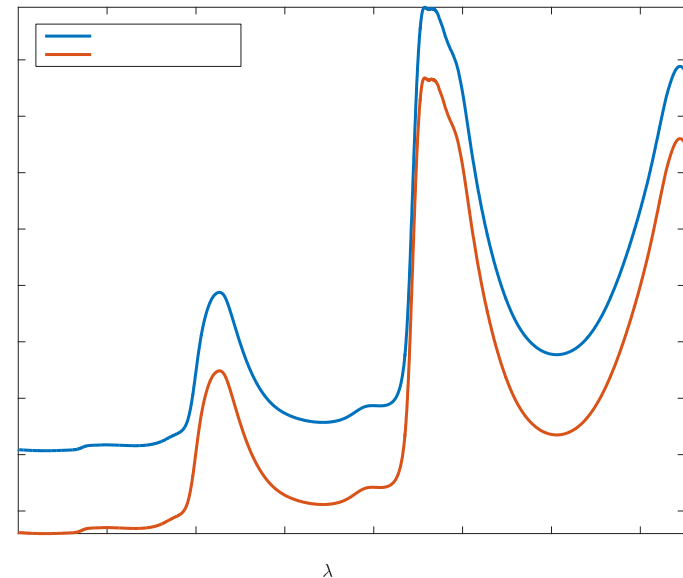
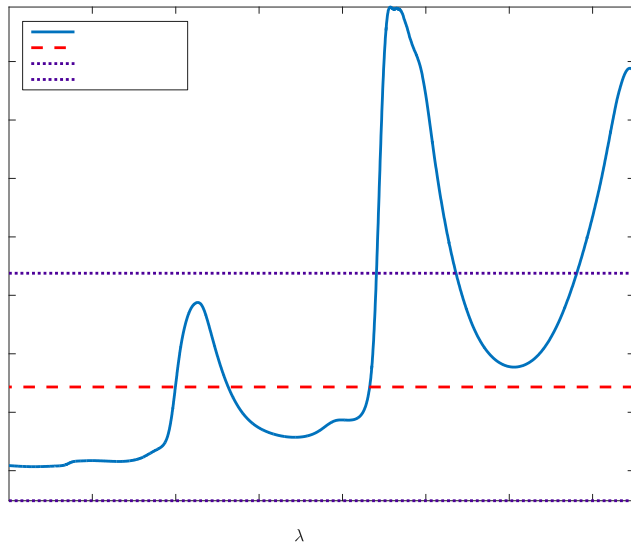
$$\mathbf{z}_i \approx a_i \mathbf{1} + b_i \mathbf{z}_{i,chem}$$

- Mean and standard deviation of measured spectra are used for the correction:

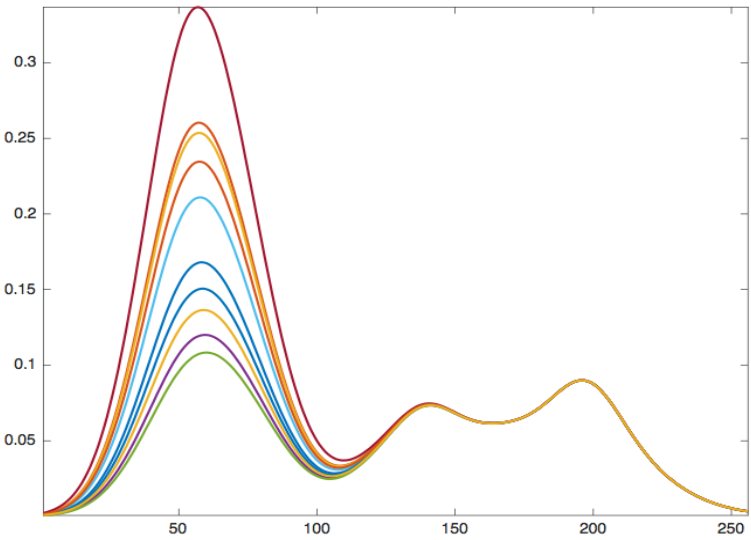
$$a_i = \text{mean}(\mathbf{z}_i)$$

$$b_i = \text{std}(\mathbf{z}_i)$$

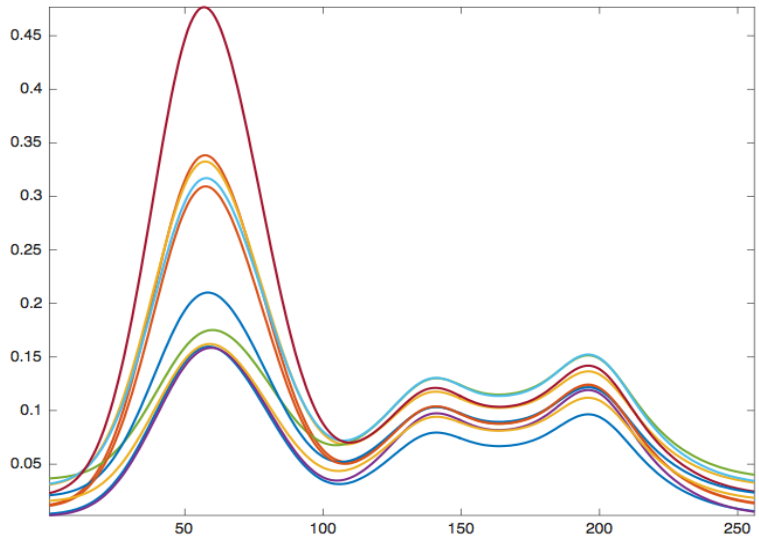
$$\mathbf{z}_{i,corr} = \frac{\mathbf{z}_i - a_i}{b_i}$$



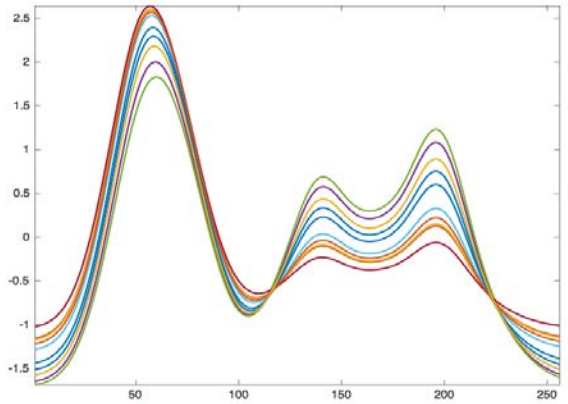
# Introduction: a simulated example



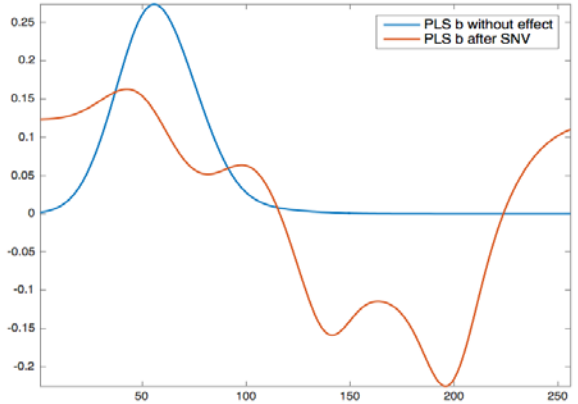
Spectra without any additive or multiplicative effect  
One peak related to Y, two not



+ additive and multiplicative effect



After applying SNV



Model performances are good (on calibration set)  
But the model itself is erroneous

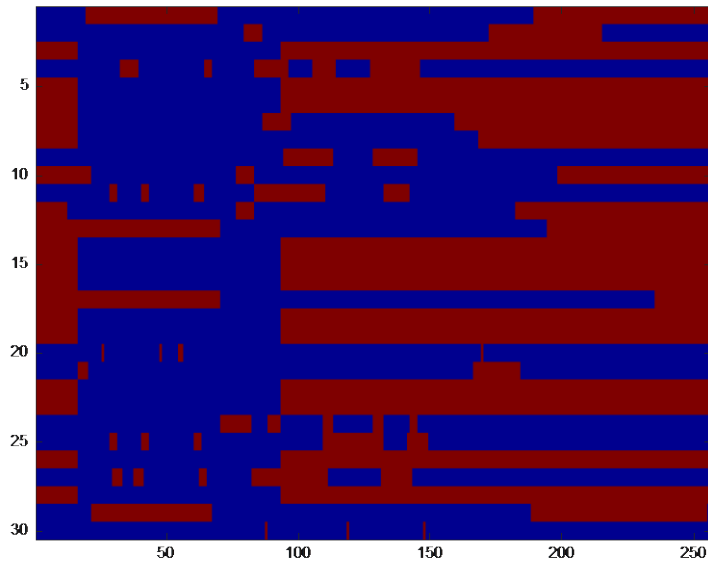
# Theory

- SNV tends to dilute the information along the whole spectrum
- A solution :
  - To calculate standard deviation and mean on wavelengths little related to  $\mathbf{Y}$
  - To normalize the spectrum with these values
- Or, more generally:
  - To calculate diagonal matrix  $\mathbf{W}$  of weights between 0 (no selection) and 1 (complete selection)
  - To calculate the normalisation on  $\mathbf{W}\mathbf{x}$  and apply it to  $\mathbf{x}$

# An algorithm using RANSAC in practice



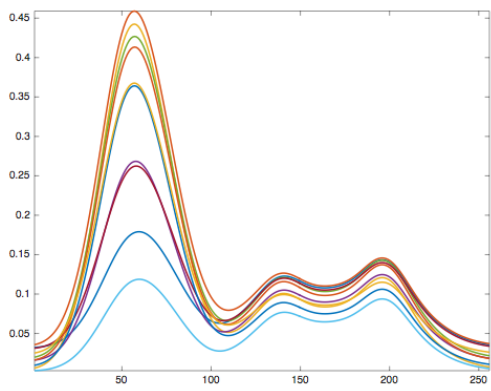
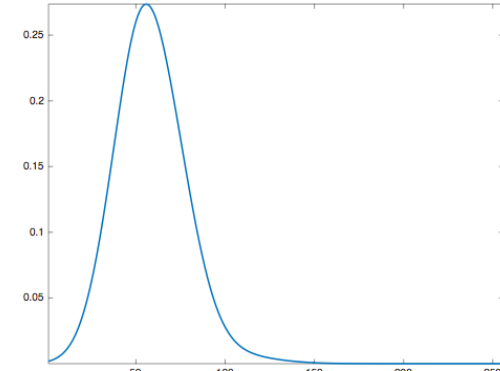
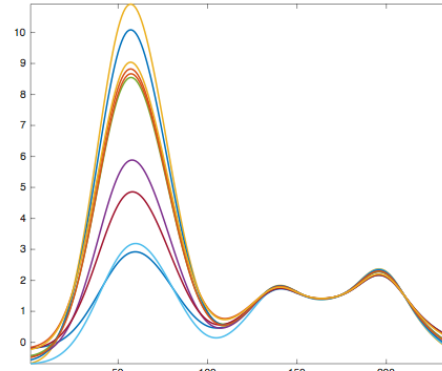
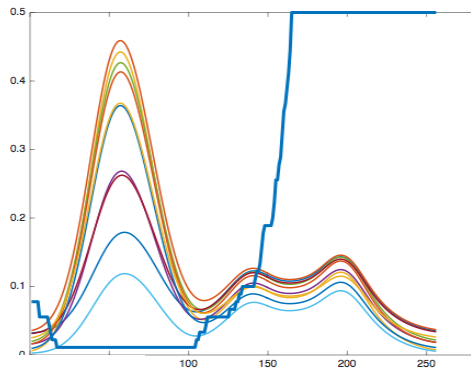
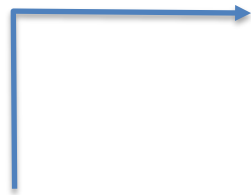
# An algorithm using RANSAC in practice



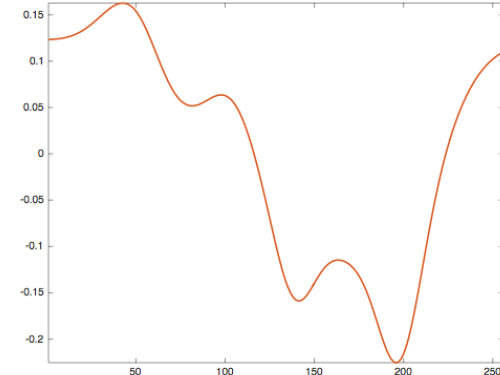
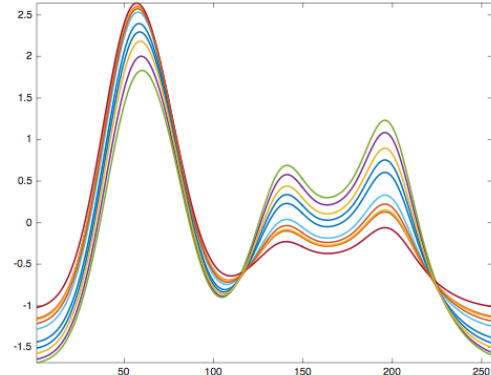
- The largest set is selected and stored
- Another pair of spectra is randomly picked
- Procedure continues iteratively until maximum number of runs
- Weights are calculated as frequency of selection in the consensus sets

# Results on simulated data

weighted SNV  
tol = 0.001



classical SNV





# Spectral pretreatment: Extended MSC

- May also remove non-linear baseline or contribution from interferences:

$$\mathbf{z}_i \approx a_i \mathbf{1} + b_i \mathbf{z}_{i,chem} + c_i \lambda + d_i \lambda^2 + f_i \mathbf{x}_{int}$$

- Also in this case, it is easier to describe chemical variation as difference with respect to a reference spectrum,  $\mathbf{m}$ .

- Then:

$$\mathbf{z}_i = a_i \mathbf{1} + b_i \mathbf{m} + c_i \lambda + d_i \lambda^2 + f_i \mathbf{x}_{int} + e_i$$

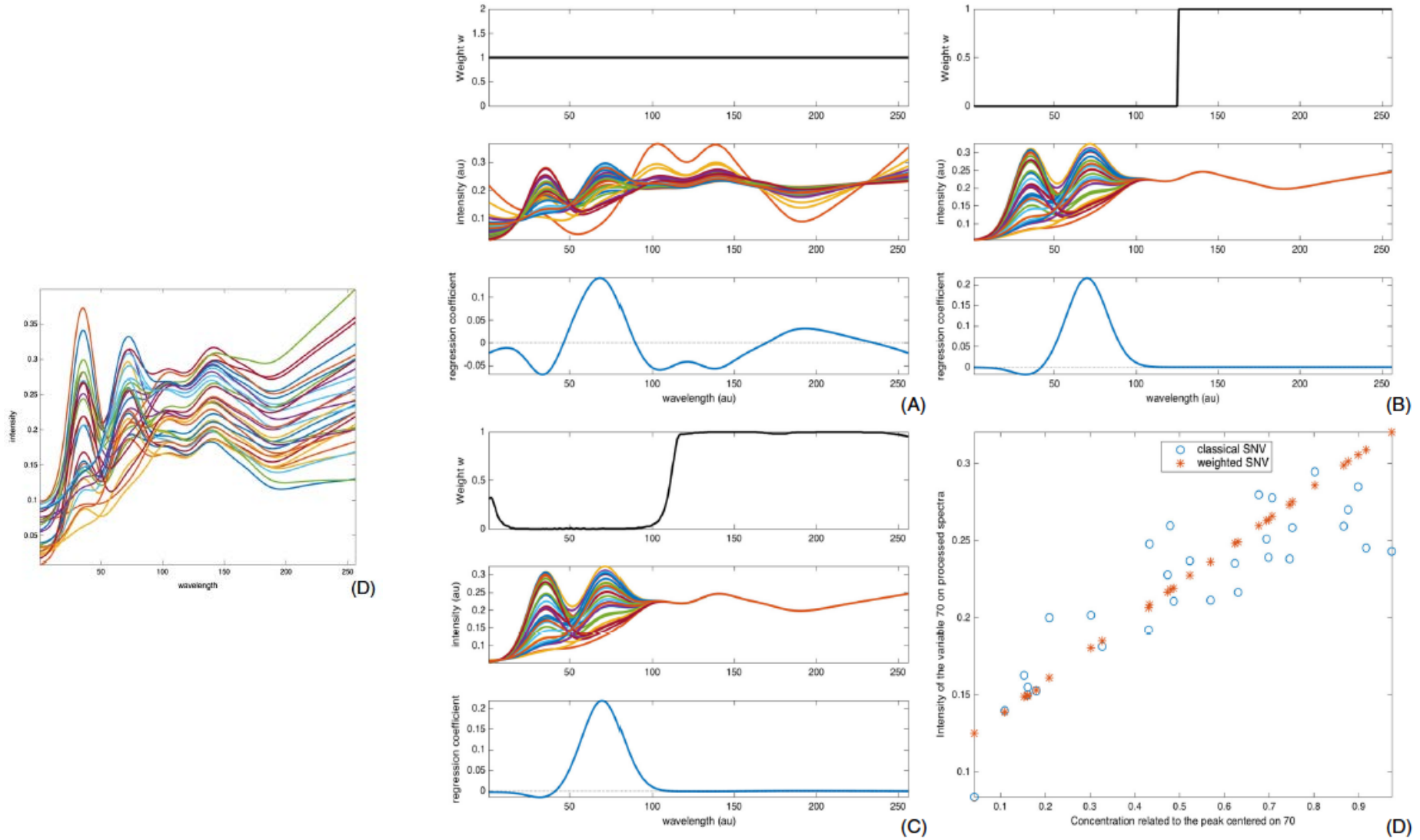
- Which becomes the regression problem:

$$\mathbf{z}_i = \mathbf{M} \mathbf{p}_i + e_i \Rightarrow \hat{\mathbf{p}}_i = (\mathbf{M}^T \mathbf{M})^{-1} \mathbf{M}^T \mathbf{z}_i$$

with

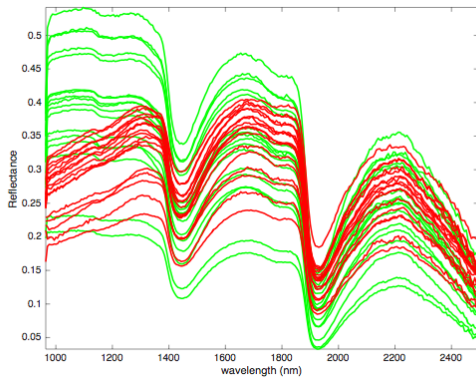
$$\mathbf{p}_i = [a_i \quad b_i \quad c_i \quad d_i \quad f_i]^T$$
$$\mathbf{M} = [\mathbf{1} \quad \mathbf{m} \quad \lambda \quad \lambda^2 \quad \mathbf{x}_{int}]$$

# Results on simulated data – 2 EMSC

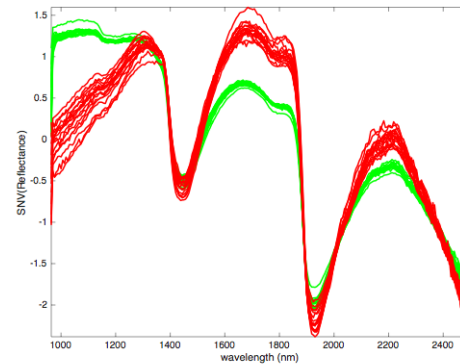


# Real example – 1: Apple Leaves

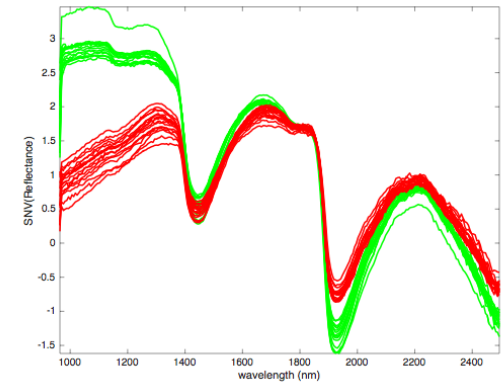
- Data: apple tree leaf spectra
- Images acquired with an NEO SWIR hyperspectral camera; 1000 - 2500 nm
- Each spectrum is the mean of pixels from an area
- Two classes :
  - healthy
  - scab disease spot



Raw data



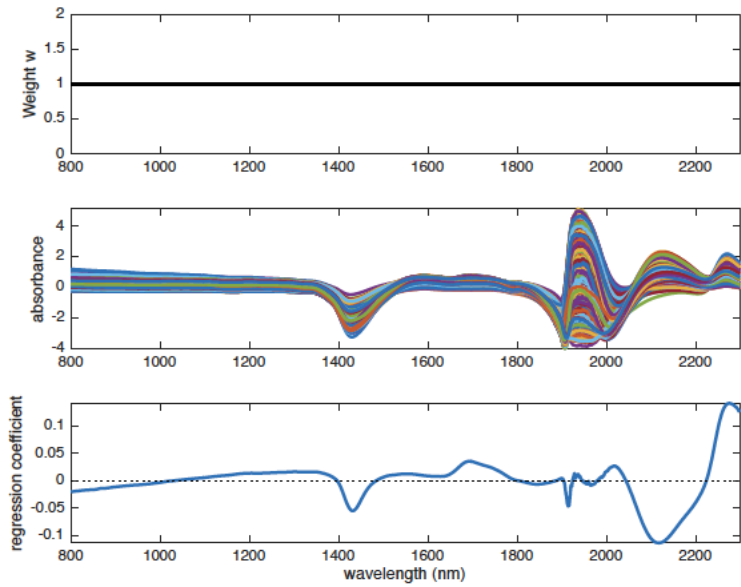
After SNV



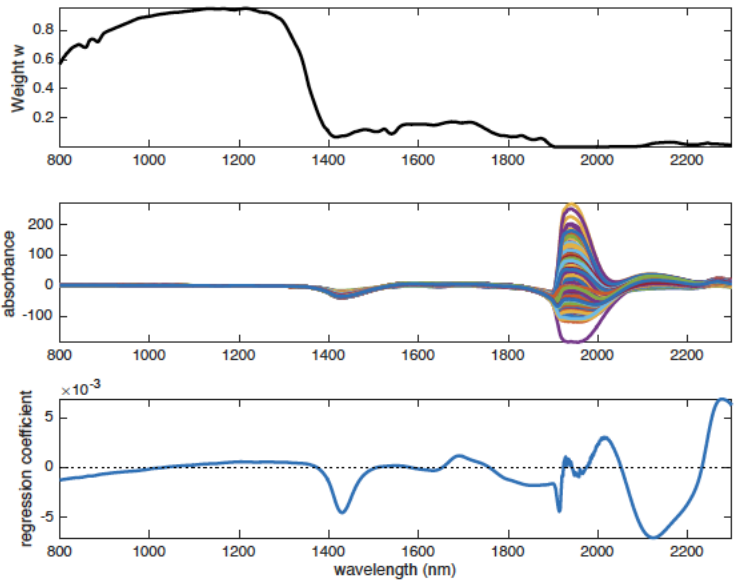
After VSN

# Real example – 2: Musts

- Data: NIR spectra of musts, associated to values of alcohol by volume.
- The dataset, contains 621 spectra: A calibration set of 414 samples (about 2/3) and a test set of 207 samples (about 1/3) were drawn using Duplex.



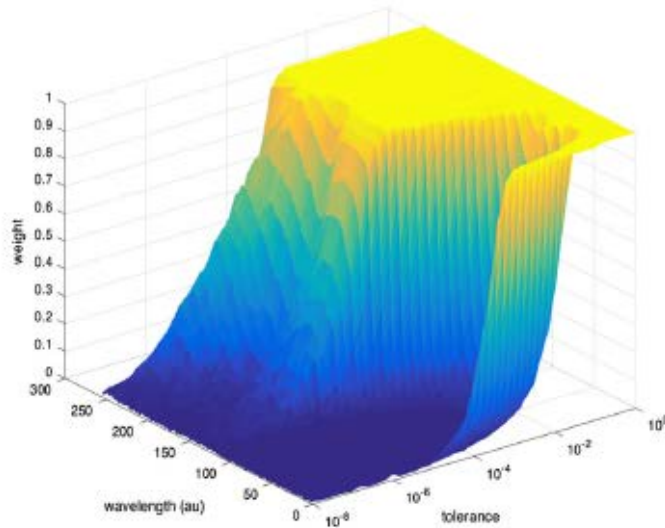
a



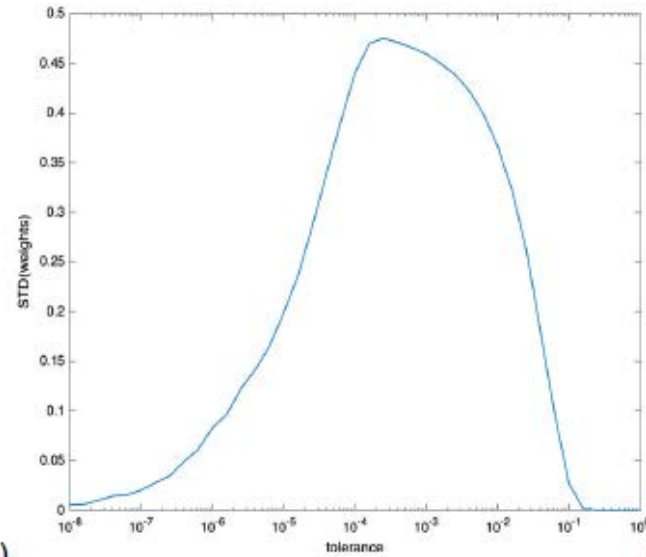
b

	#LV	RMSECV	$R^2_{CV}$	RMSEP	$R^2_{TEST}$
SNV	5	0.890	0.94	0.963	0.93
VSN + Weighted SNV	5	0.653	0.97	0.701	0.96

# Digression: selecting the optimal tolerance



(A)



(B)

- Empirical rule:  $\text{Max}(\text{std}(\text{weights}))$
- Seems to work on many data analyzed so far

Time for doing more SPORT